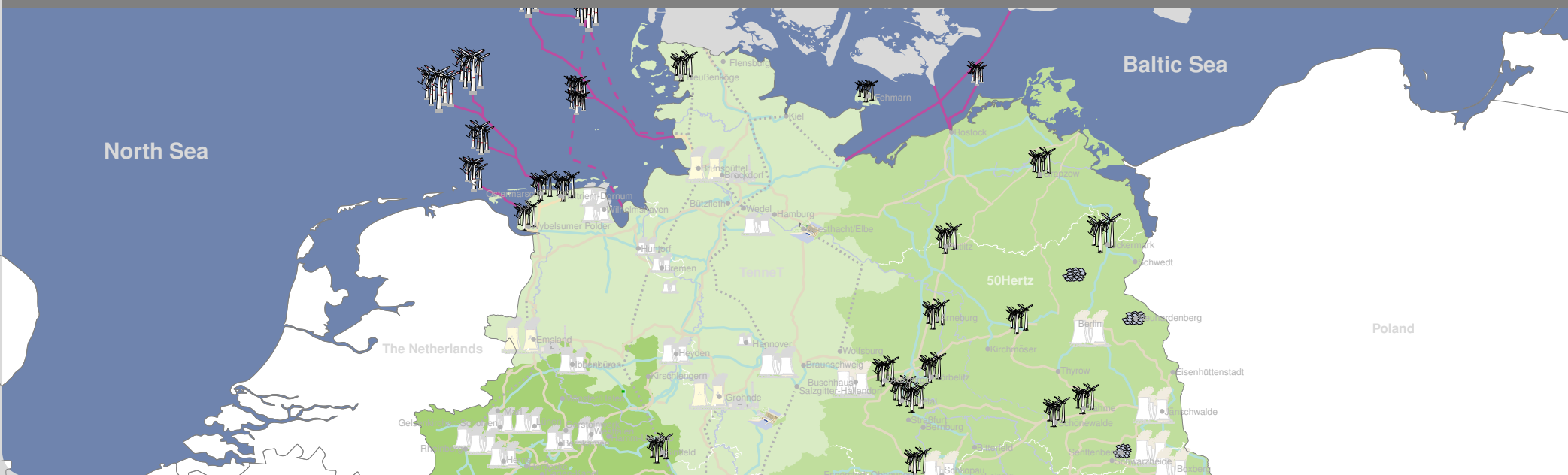


# A Simulated-Annealing-Based Approach for Wind Farm Cabling

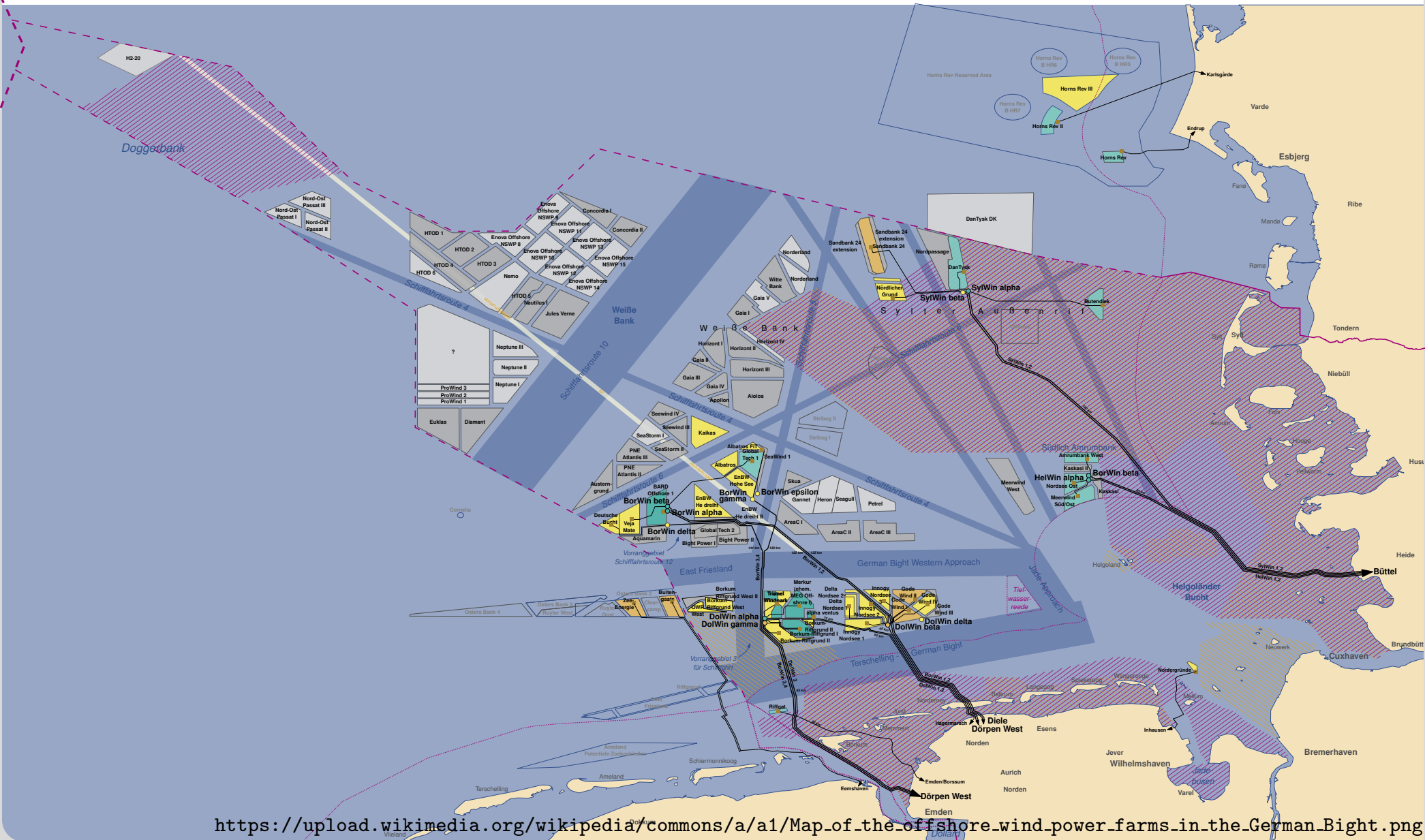
ACM e-Energy 2017 · May 19, 2017

Sebastian Lehmann, Ignaz Rutter, Dorothea Wagner and Franziska Wegner

INSTITUTE OF THEORETICAL INFORMATICS · ALGORITHMICS GROUP

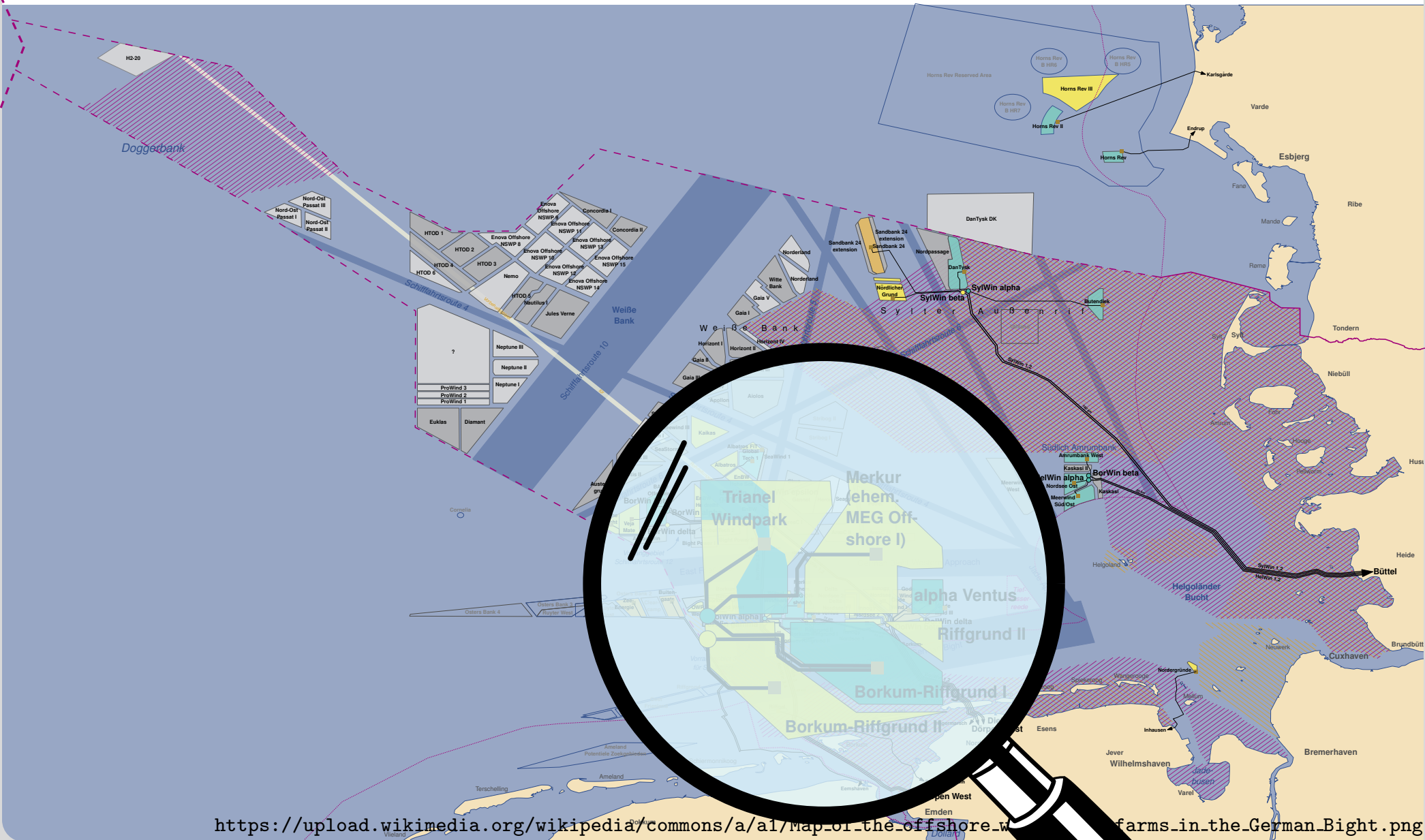


# Motivation



[https://upload.wikimedia.org/wikipedia/commons/a/a1/Map\\_of\\_the\\_offshore\\_wind\\_power\\_farms\\_in\\_the\\_German\\_Bight.png](https://upload.wikimedia.org/wikipedia/commons/a/a1/Map_of_the_offshore_wind_power_farms_in_the_German_Bight.png)

# Motivation



[https://upload.wikimedia.org/wikipedia/commons/a/a1/Map\\_of\\_the\\_offshore\\_wind\\_farms\\_in\\_the\\_German\\_Bight.png](https://upload.wikimedia.org/wikipedia/commons/a/a1/Map_of_the_offshore_wind_farms_in_the_German_Bight.png)

# Wind Farm Cabling



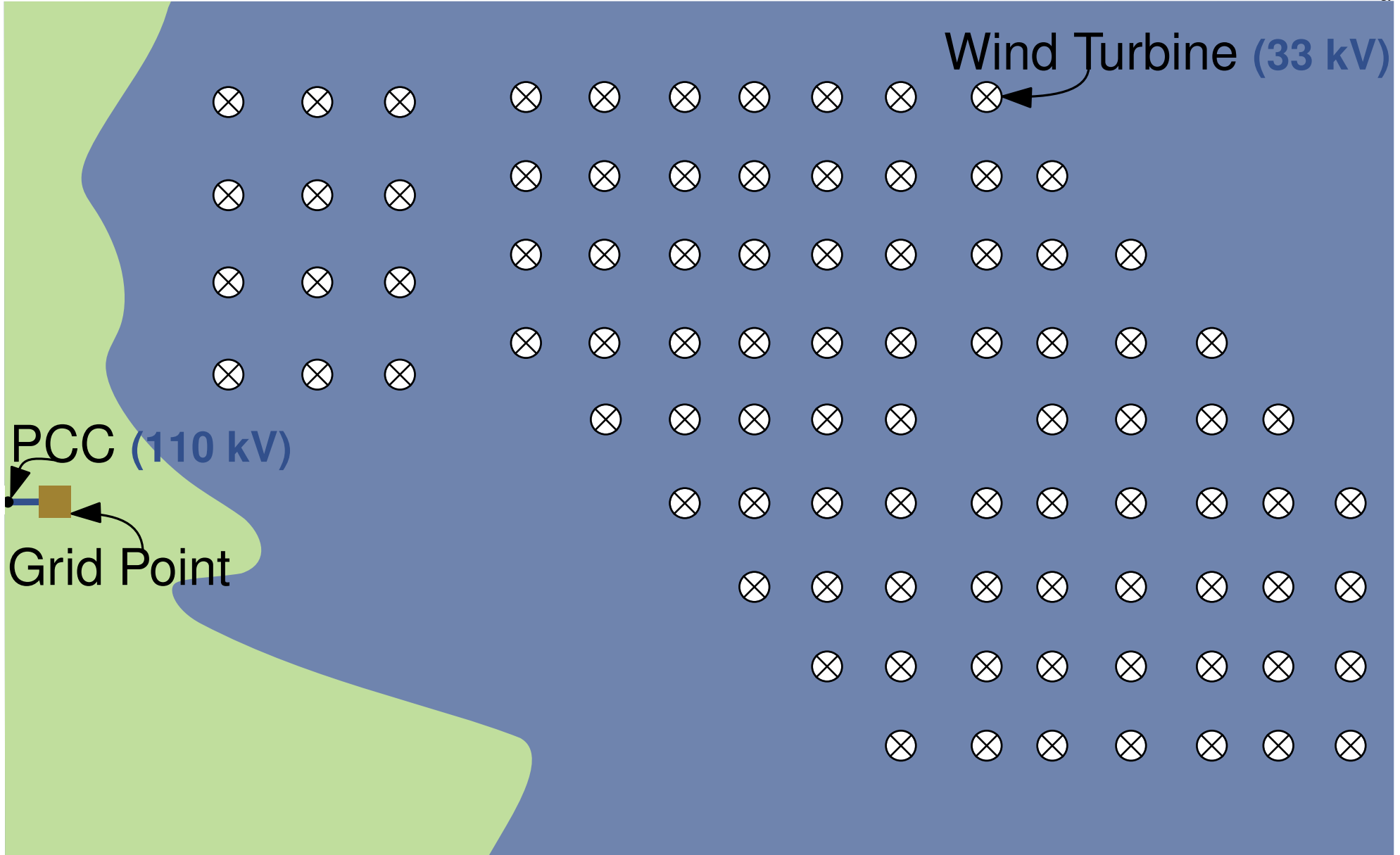
# Wind Farm Cabling



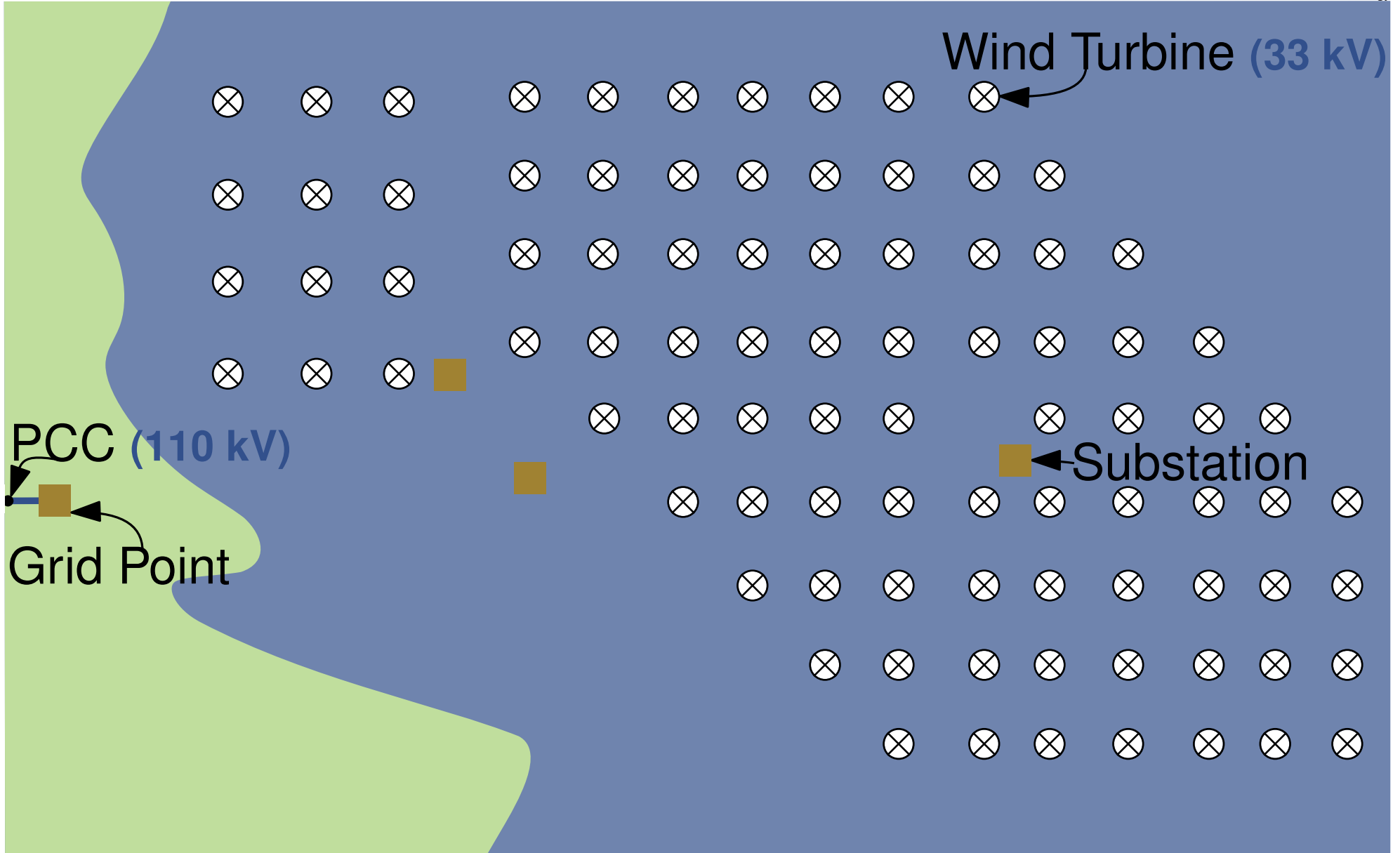
# Wind Farm Cabling



# Wind Farm Cabling

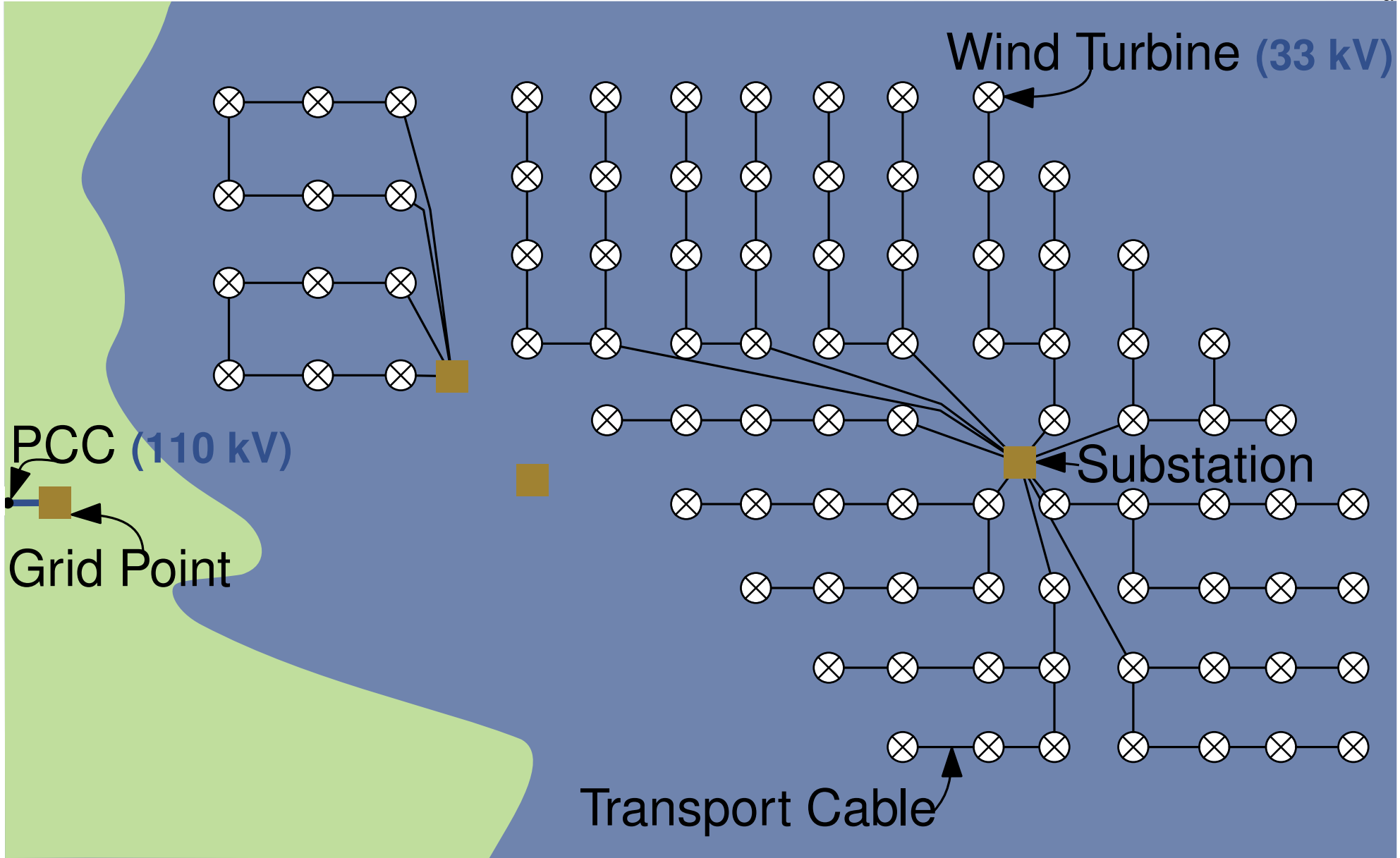


# Wind Farm Cabling

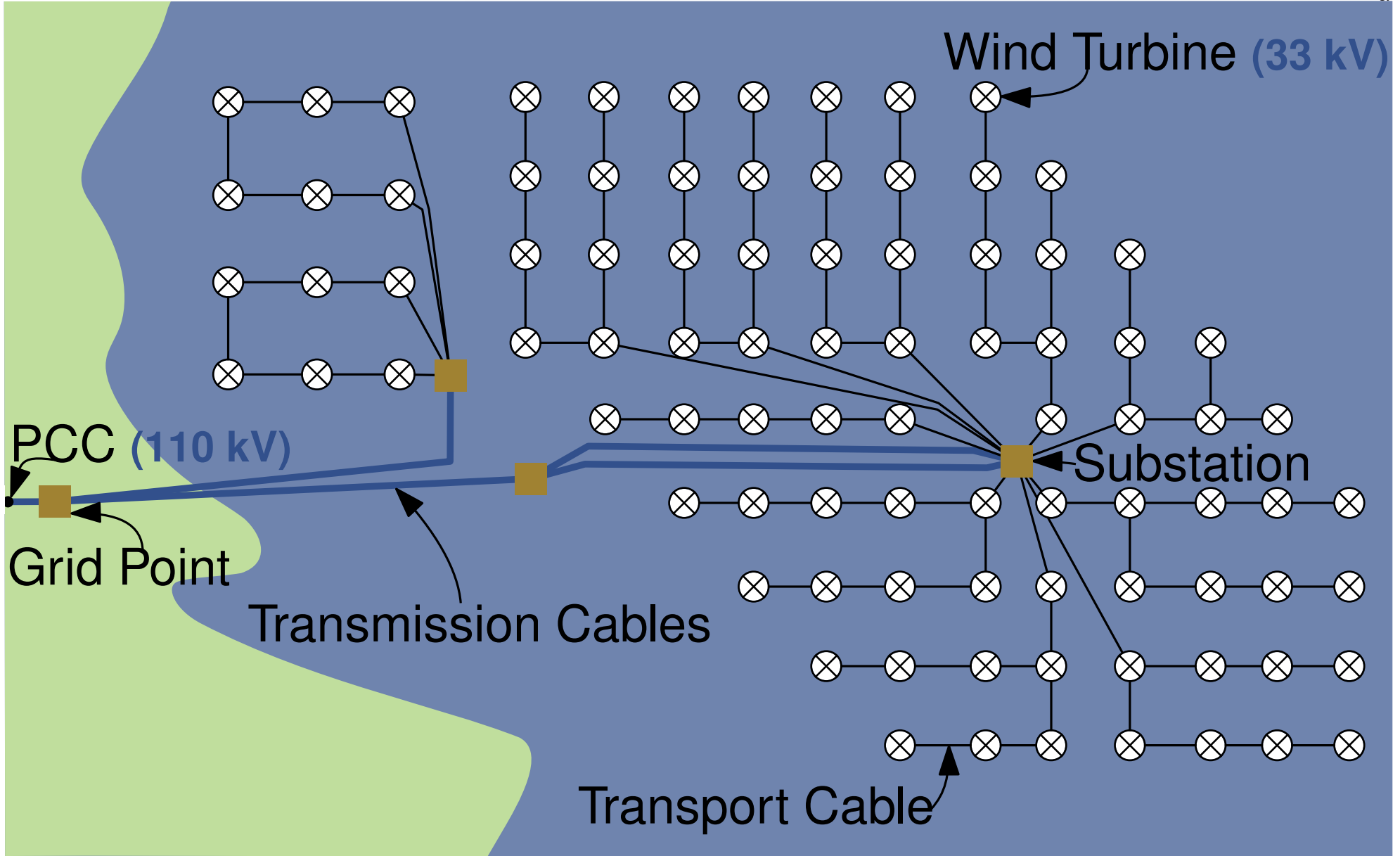




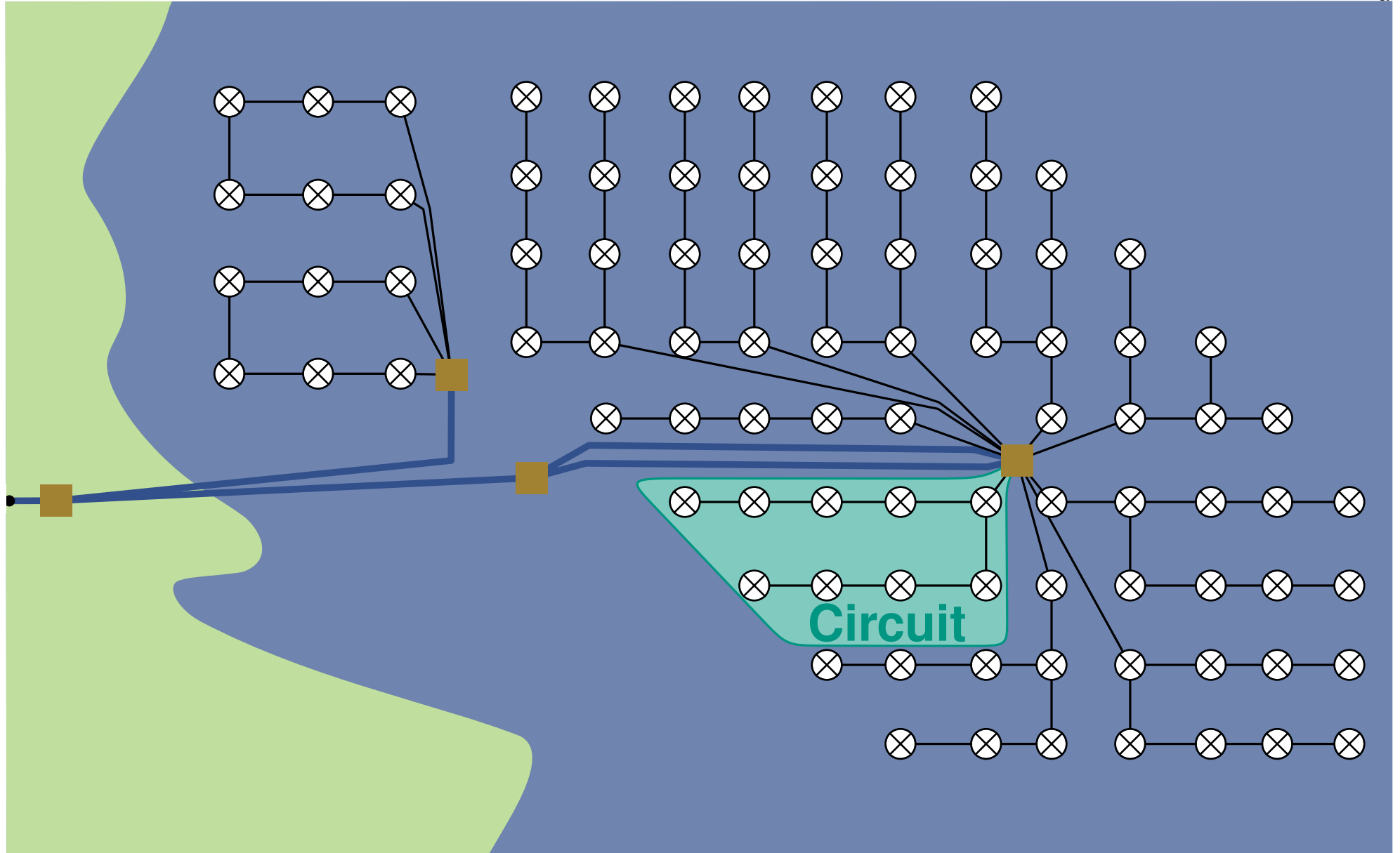
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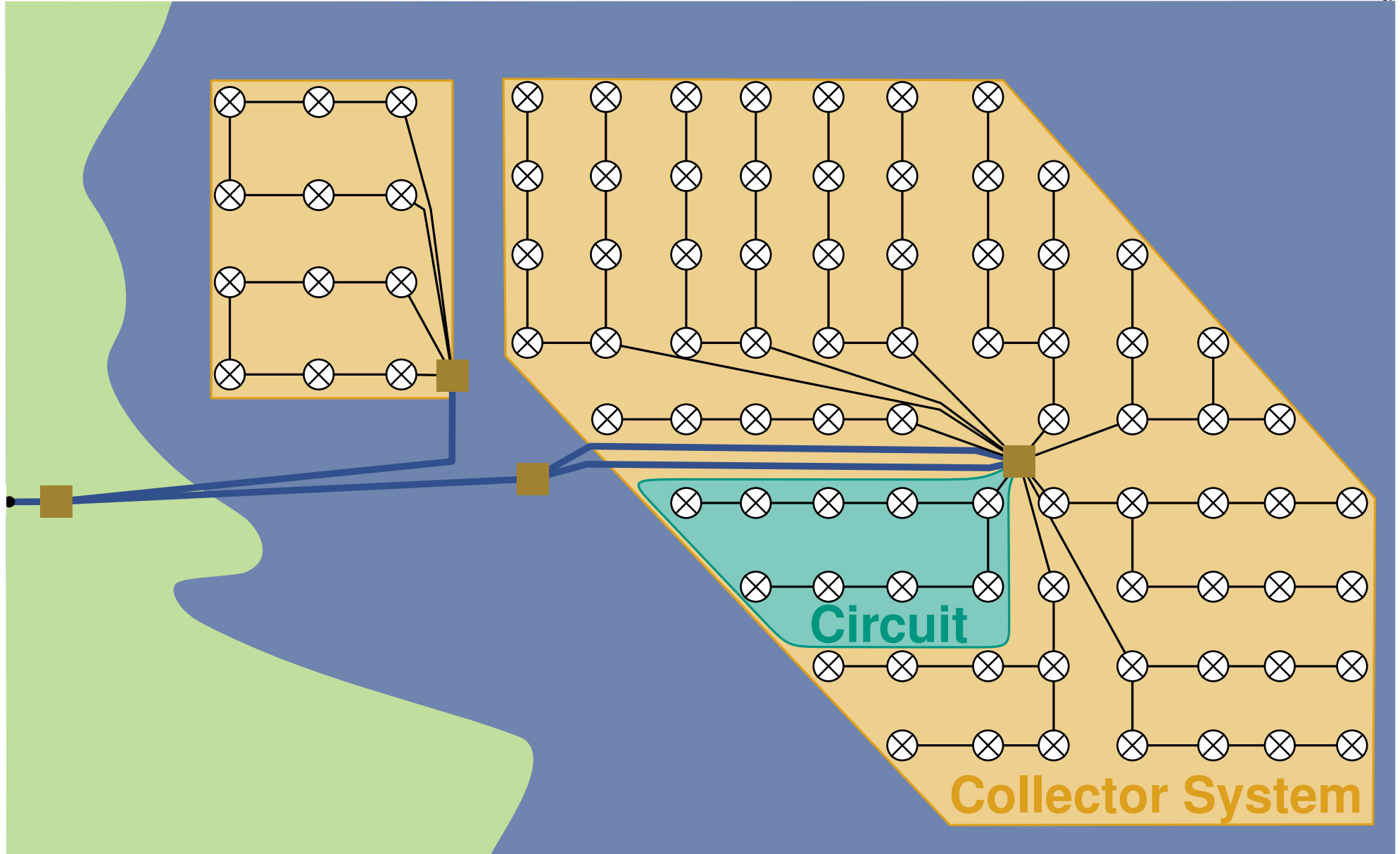
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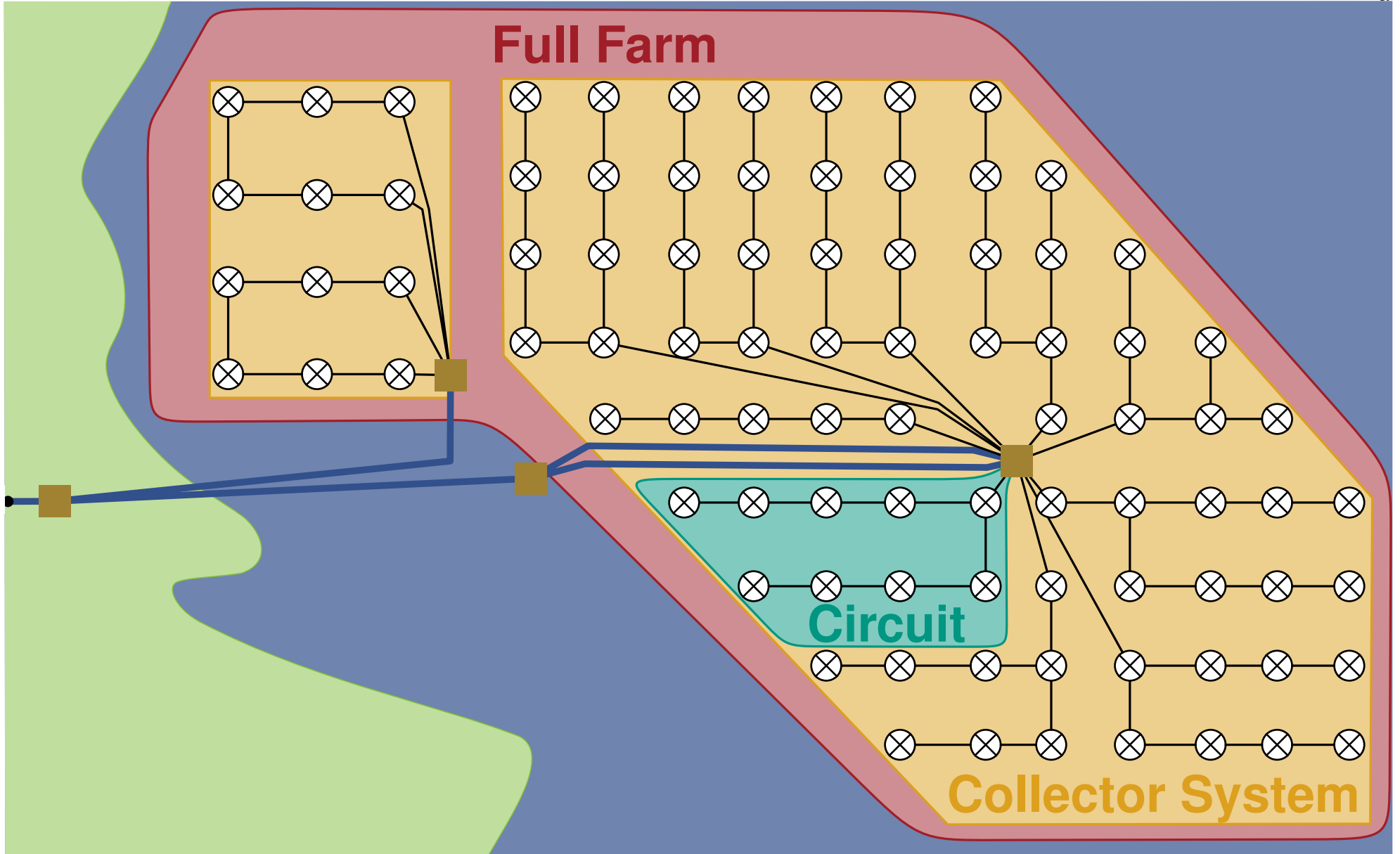
# Wind Farm Cabling



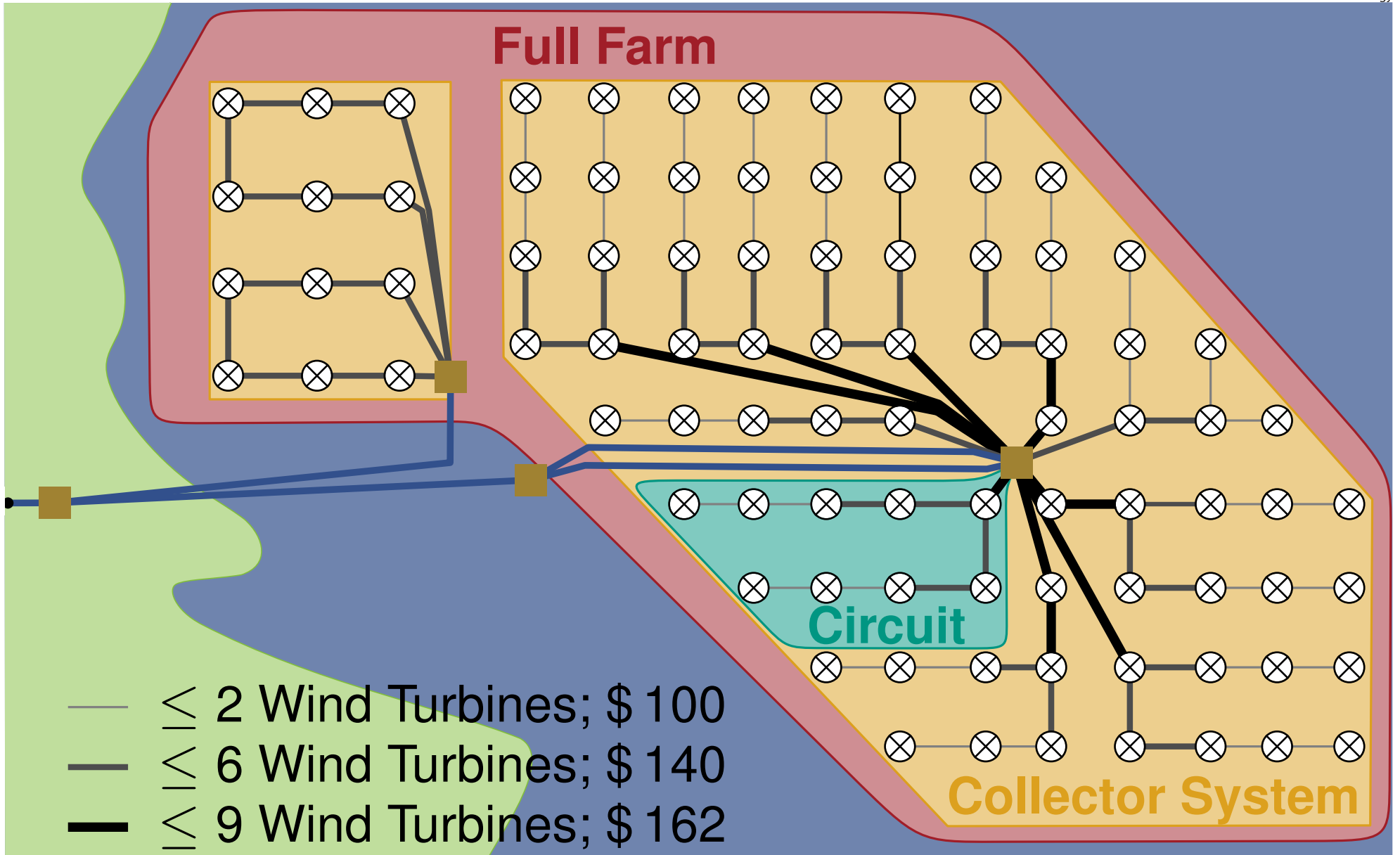
# Wind Farm Cabling



# Wind Farm Cabling

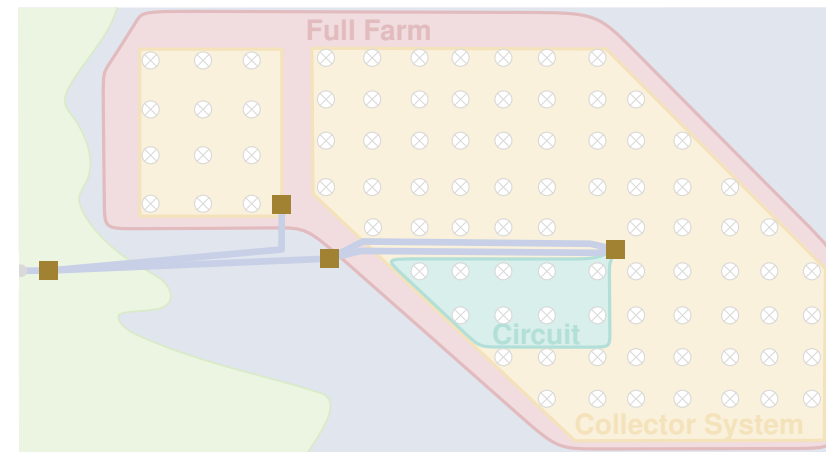


# Wind Farm Cabling



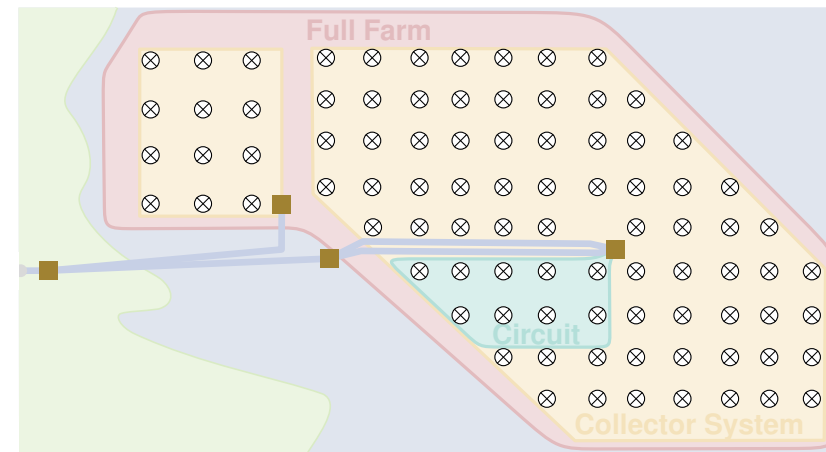
# Wind Farm Cable Layout Problem

*Given*  $V_S$  set of substations,  $V_T$  set of turbines (each with **capacity**),  
for each edge: cable types (each with **cost** and **capacity**)



# Wind Farm Cable Layout Problem

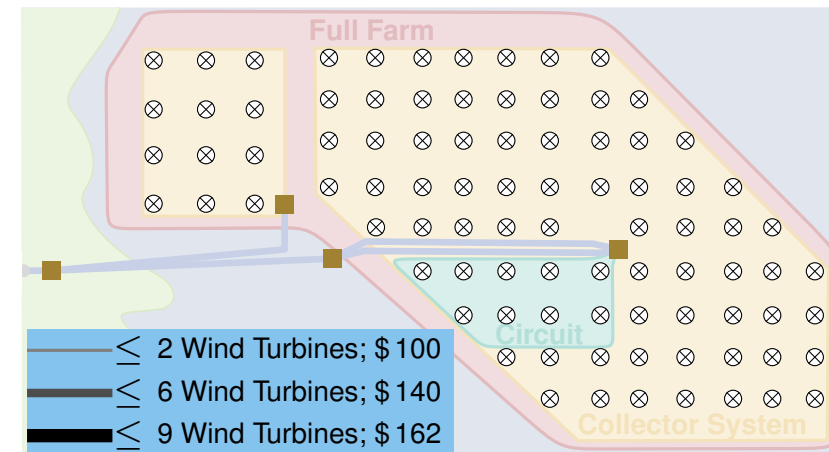
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# Wind Farm Cable Layout Problem

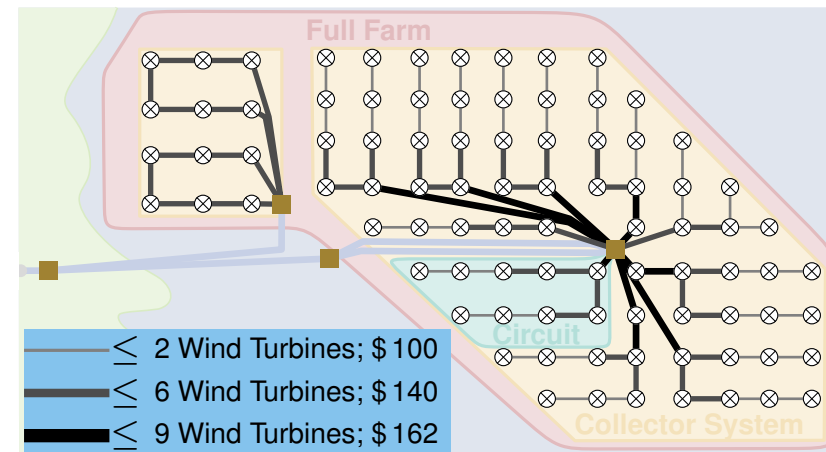
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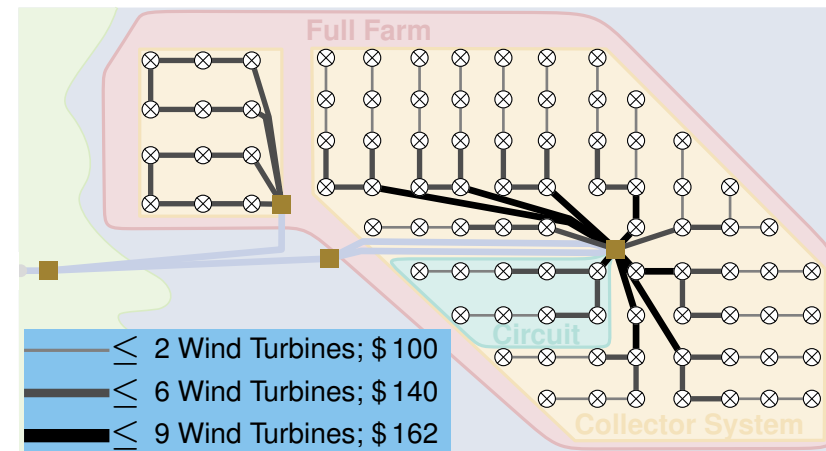


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*minimizing* **total cable cost**



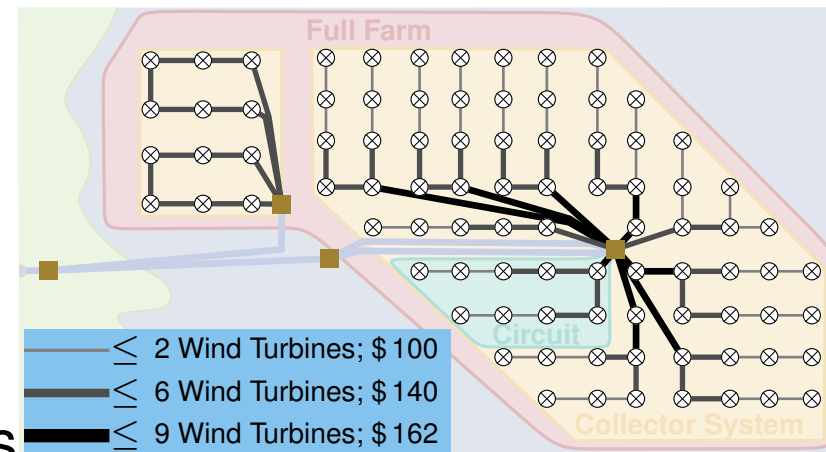
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*find* for each edge: the **cable type**

*minimizing* **total cable cost**

*subject to* cable capacity constraints  
substation capacity constraints  
flow conservation constraints



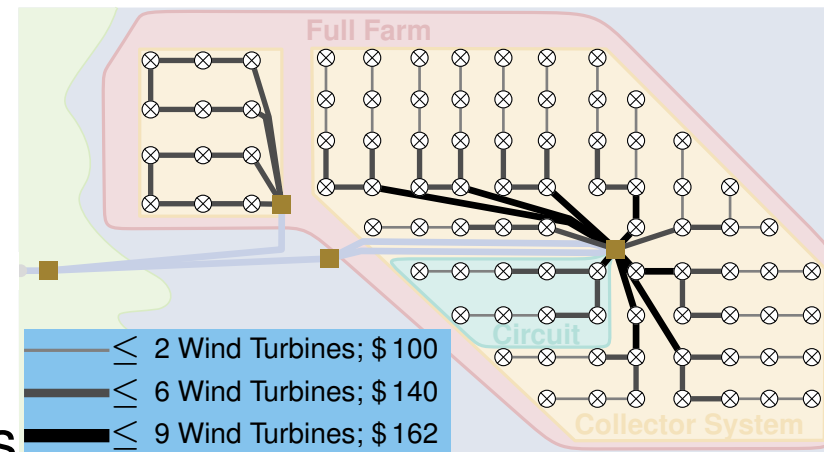
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*Given*  $V_S$  set of substations,  $V_T$  set of turbines (each with **capacity**),  
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substation capacity constraints  
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Wind farm planning problem  $\Leftrightarrow$  Minimum cost flow problem

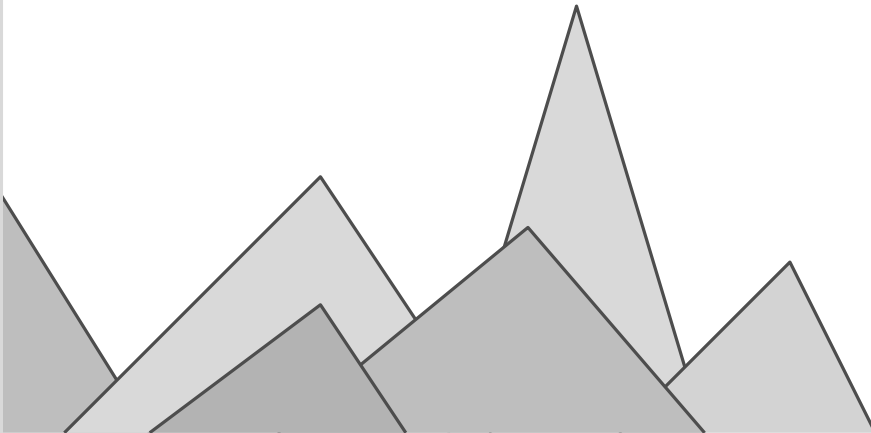
using [Leibfried et al., 2015]

$$\text{OPT}(\mathcal{N}_{\text{FFP}}) \leq \sum_{j \in V_S} \text{OPT}(\mathcal{N}_{\text{SP}}(j)) \leq \sum_{j \in V_S} \sum_{i \in \mathbb{N}} \text{OPT}(\mathcal{N}_{\text{CP}}(j, i))$$

# Simulated Annealing

## Metropolis Algorithm

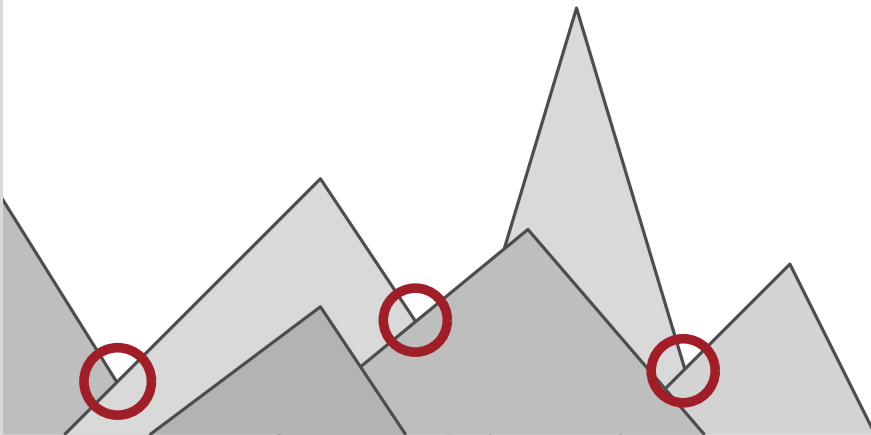
## Cooling Schedule



# Simulated Annealing

## Metropolis Algorithm

## Cooling Schedule



many local optima

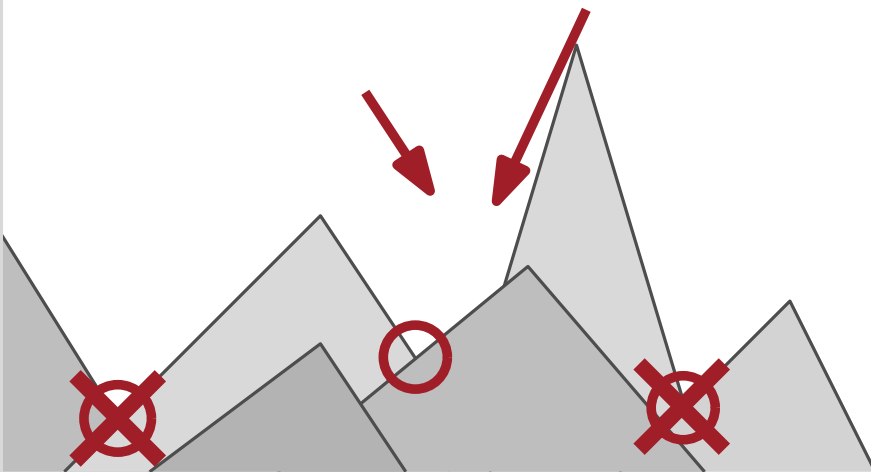
# Simulated Annealing

## Metropolis Algorithm

## Cooling Schedule

local search

many local optima

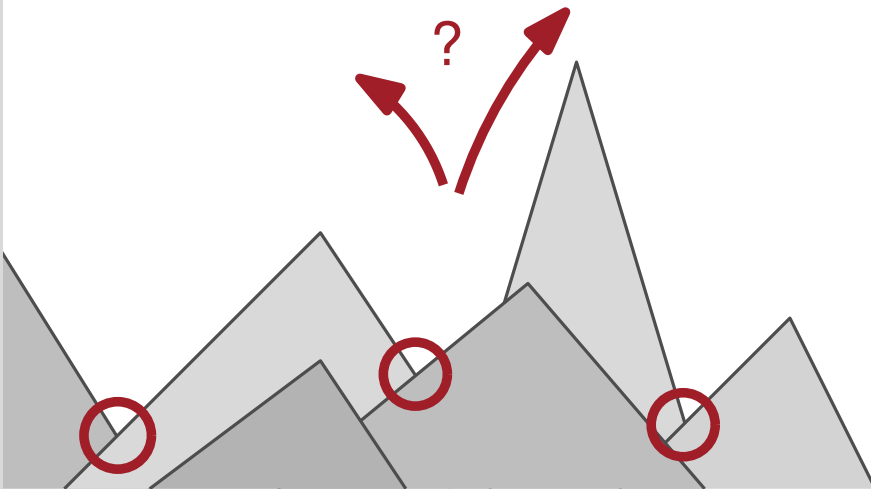




# Simulated Annealing

## Metropolis Algorithm escape local optimum

## Cooling Schedule

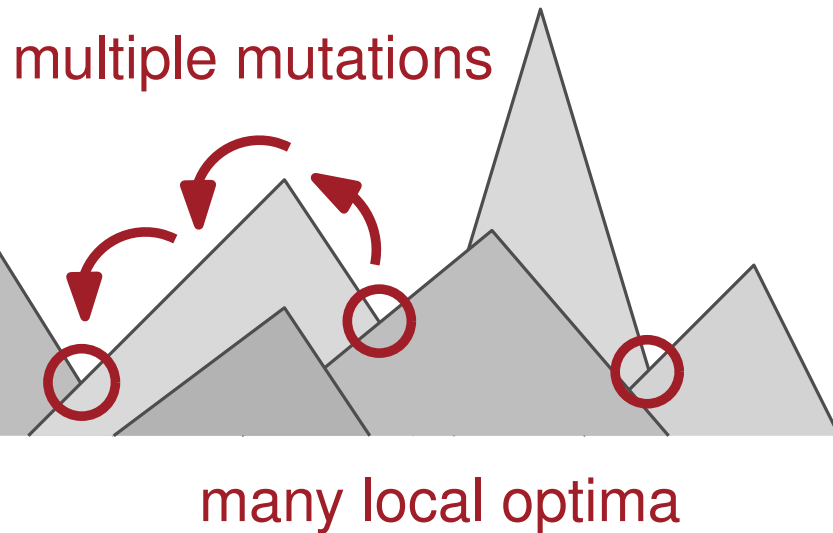


many local optima

# Simulated Annealing

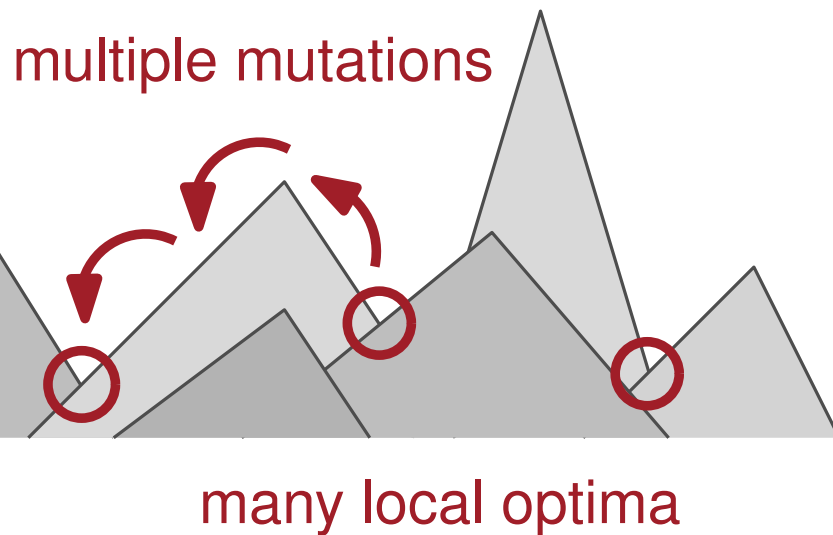
## Metropolis Algorithm

## Cooling Schedule

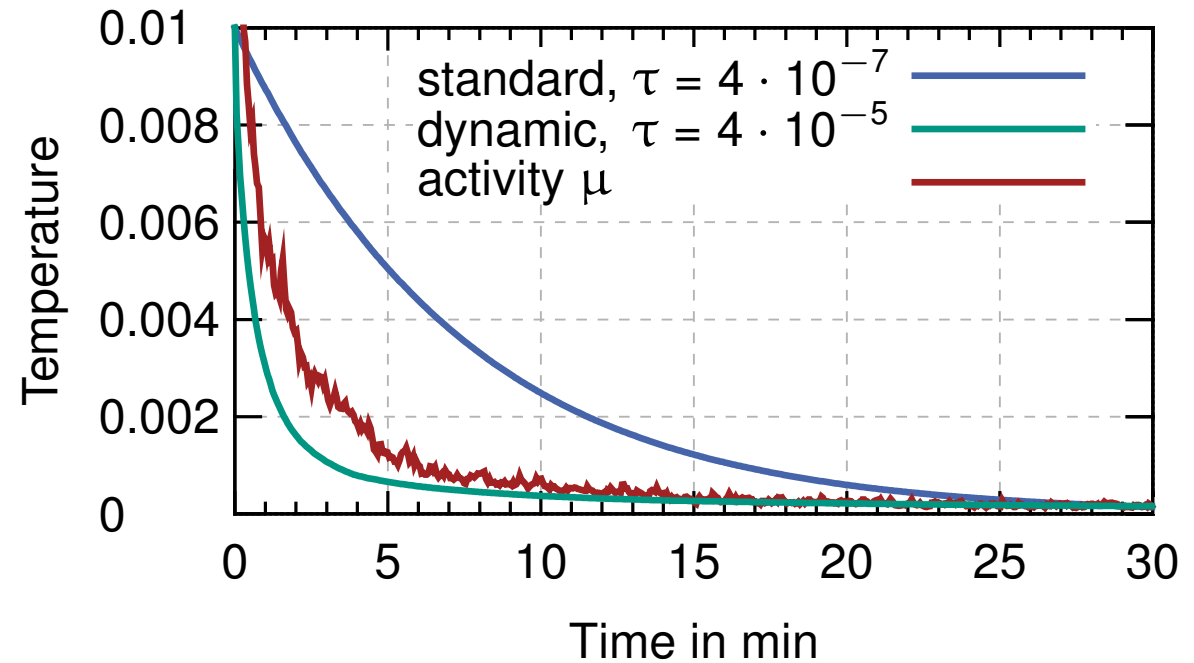


# Simulated Annealing

## Metropolis Algorithm



## Cooling Schedule



# Simulated Annealing

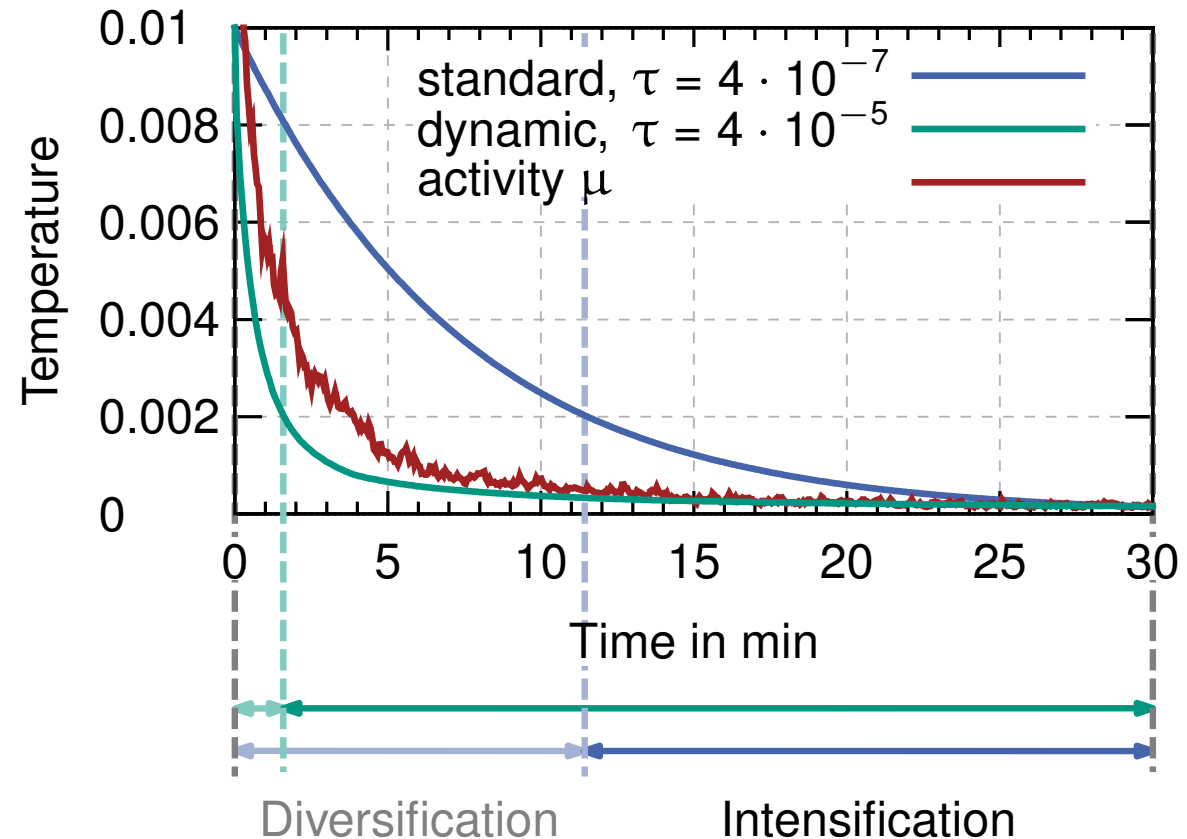
## Metropolis Algorithm

multiple mutations

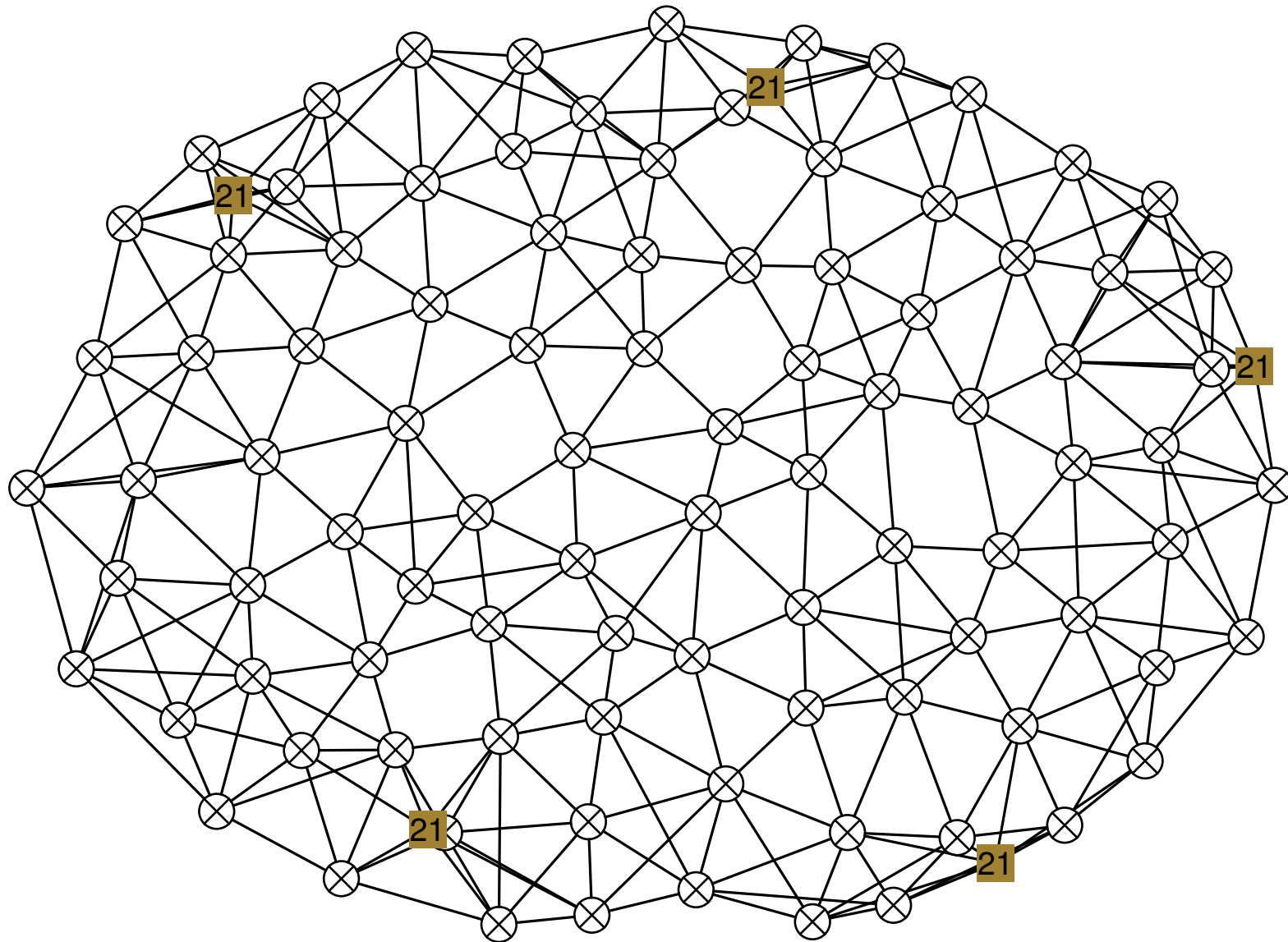
many local optima

Diversification

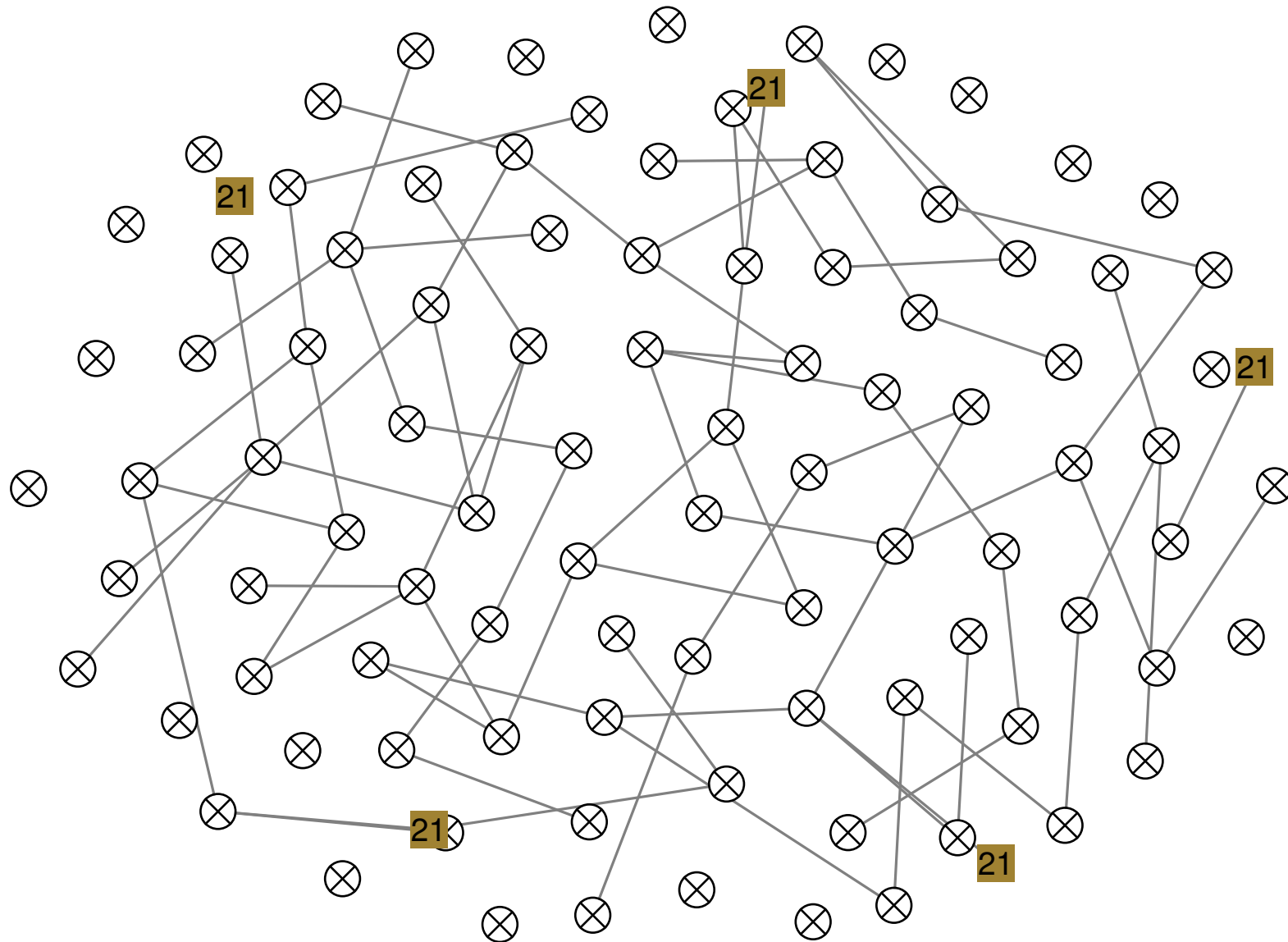
## Cooling Schedule



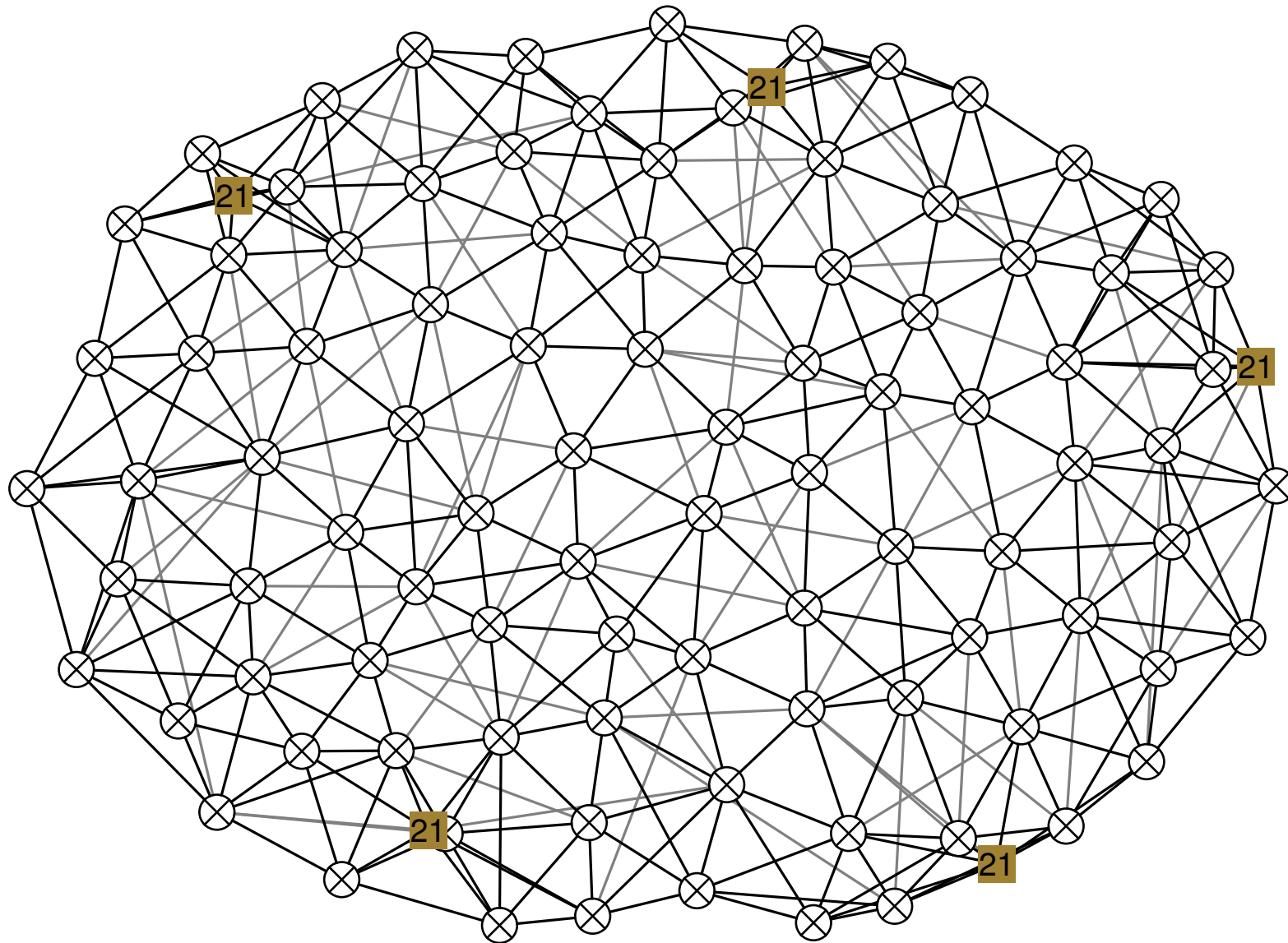
# Benchmark Sets



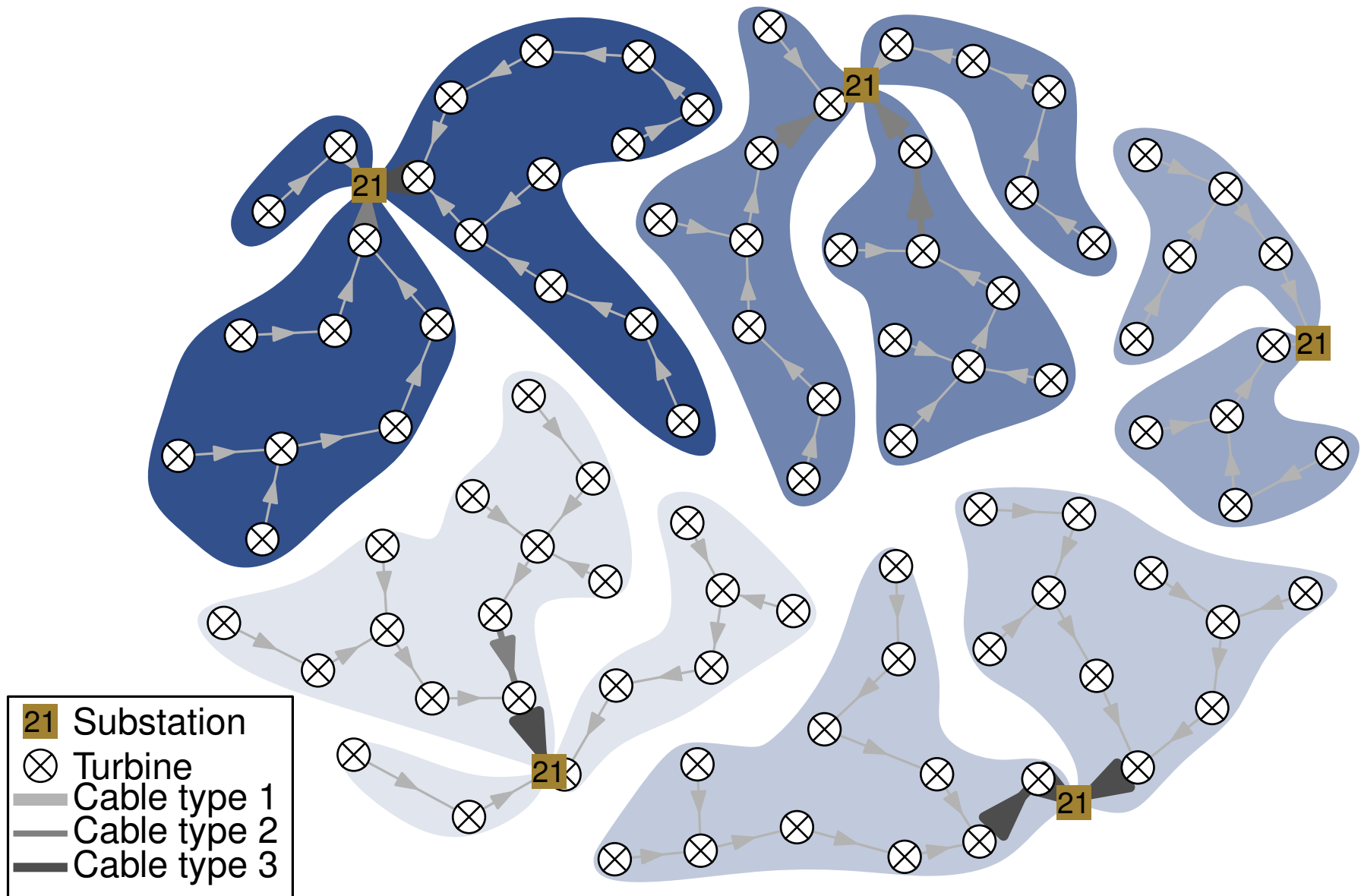
# Benchmark Sets



# Benchmark Sets

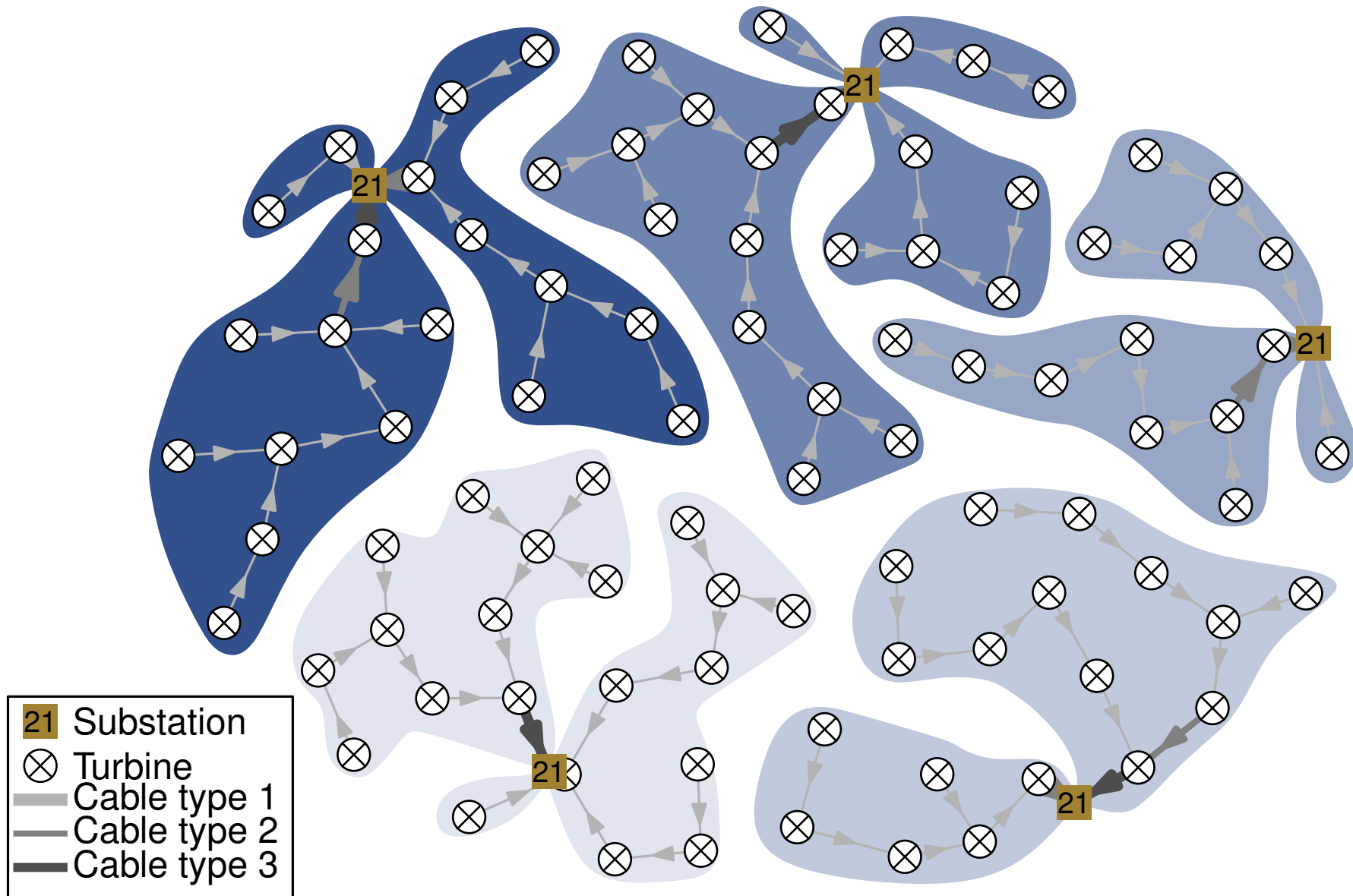


# Benchmark Sets

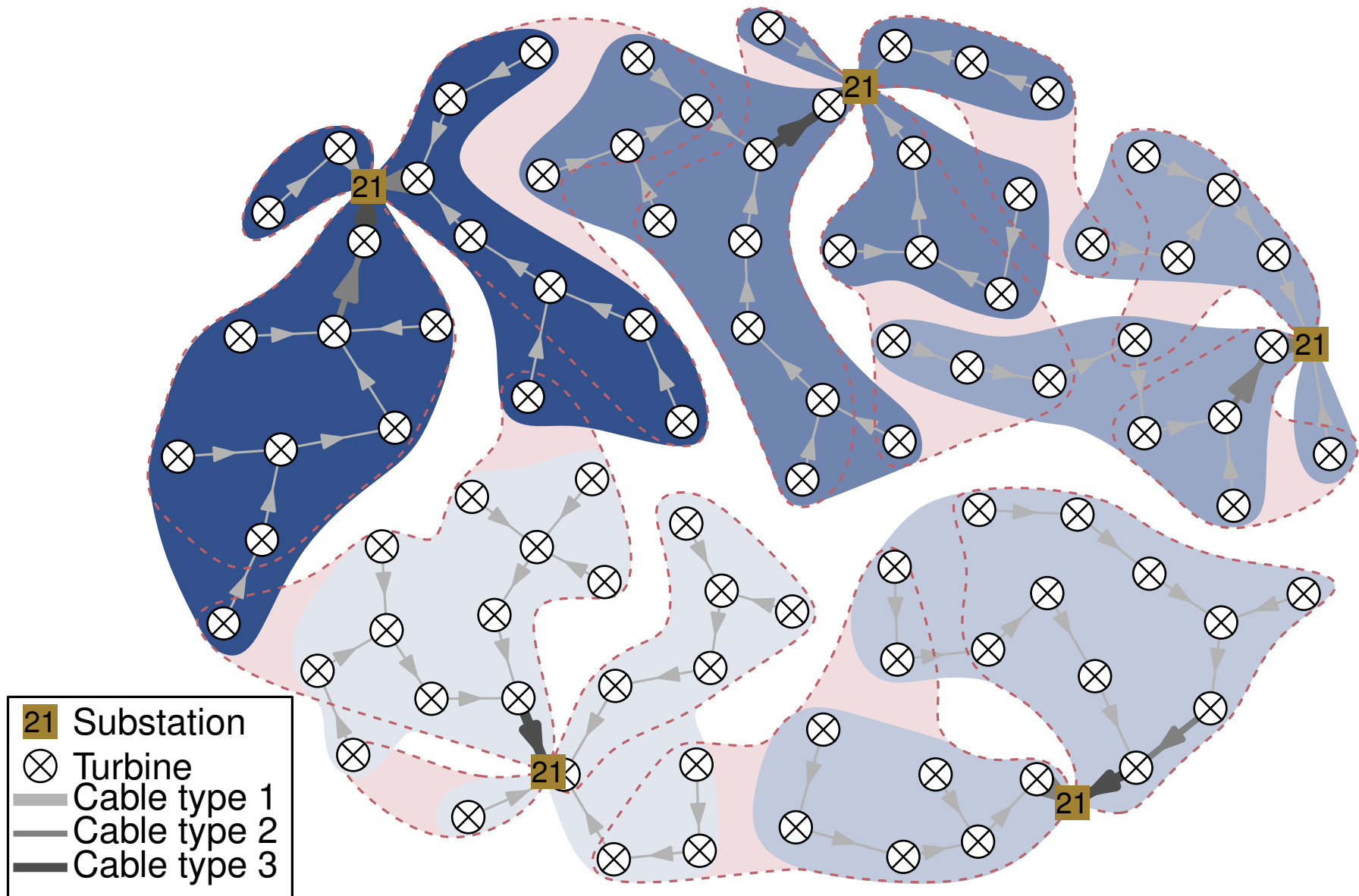




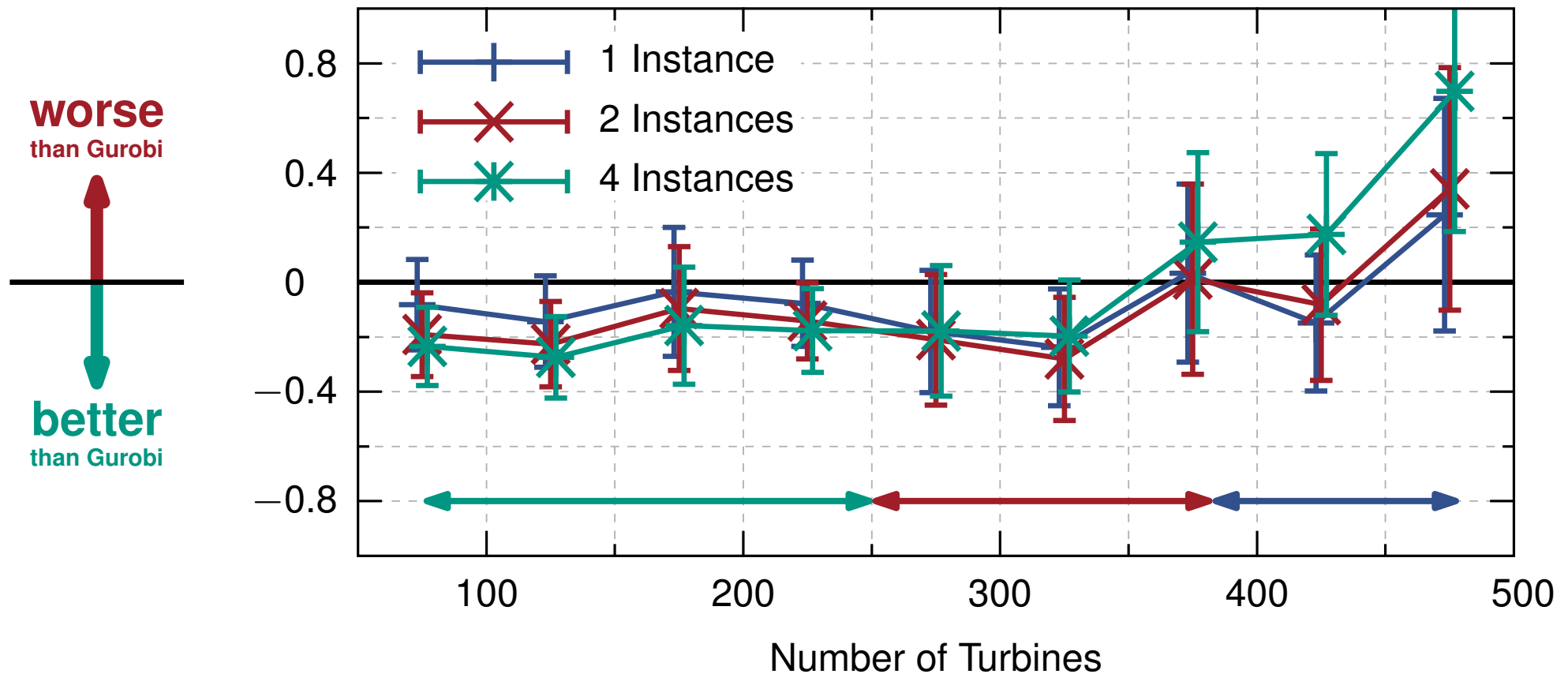
# Benchmark Sets



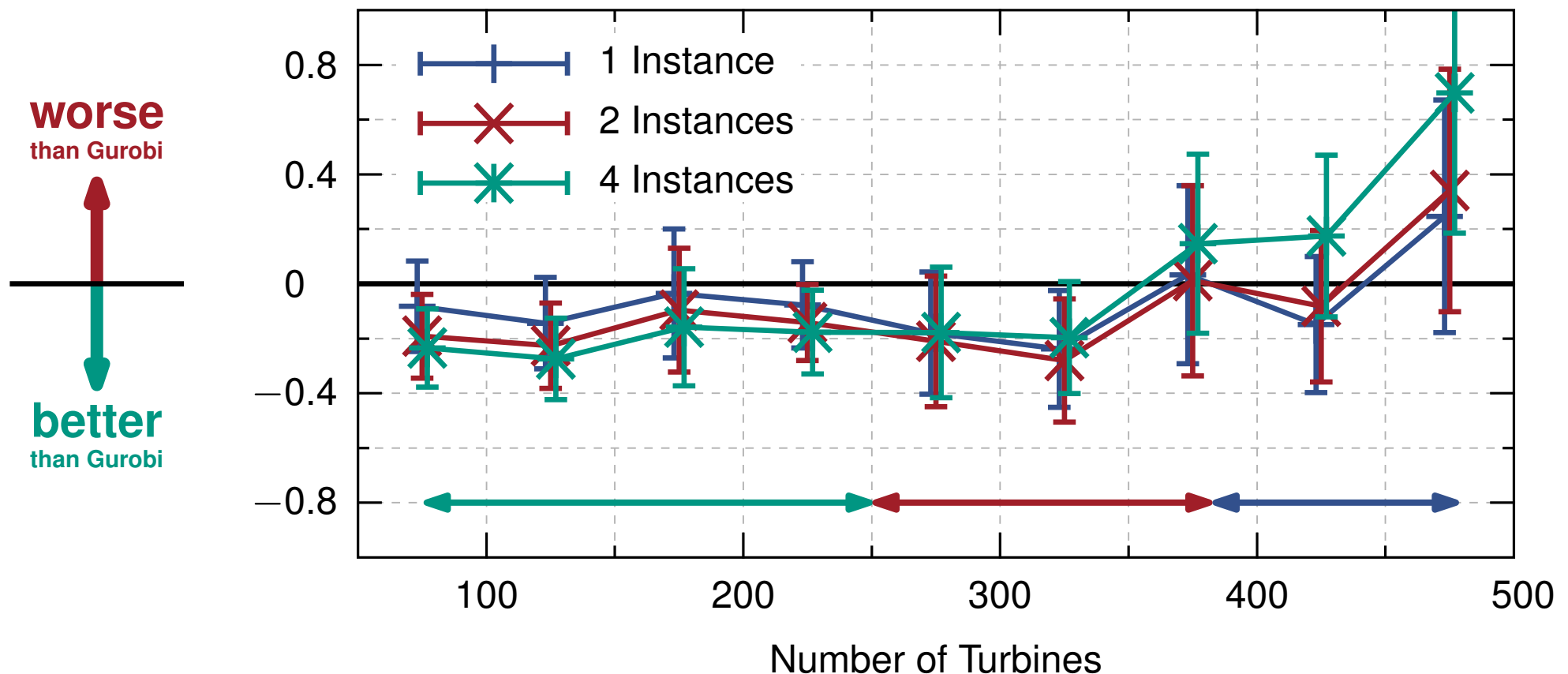
# Benchmark Sets



# Multiple Instances of Simulated Annealing



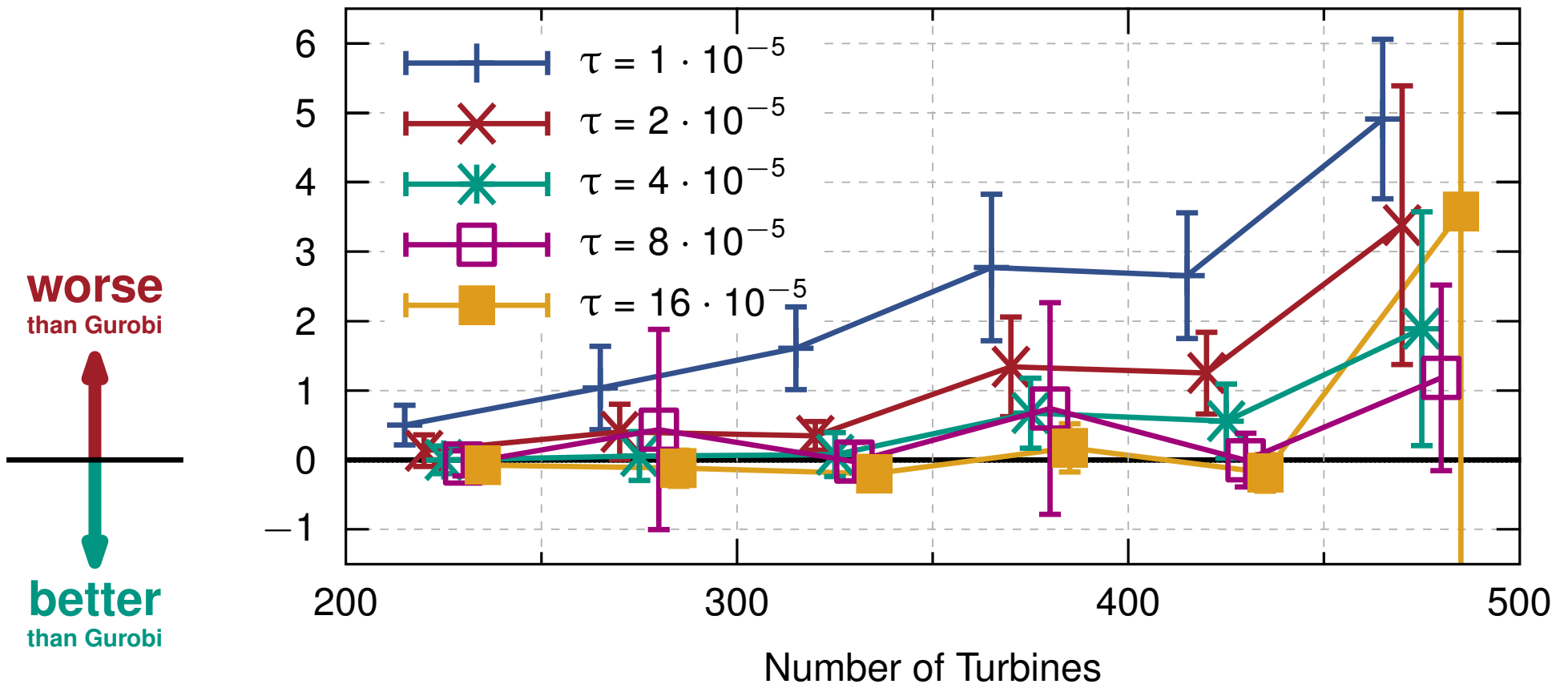
# Multiple Instances of Simulated Annealing



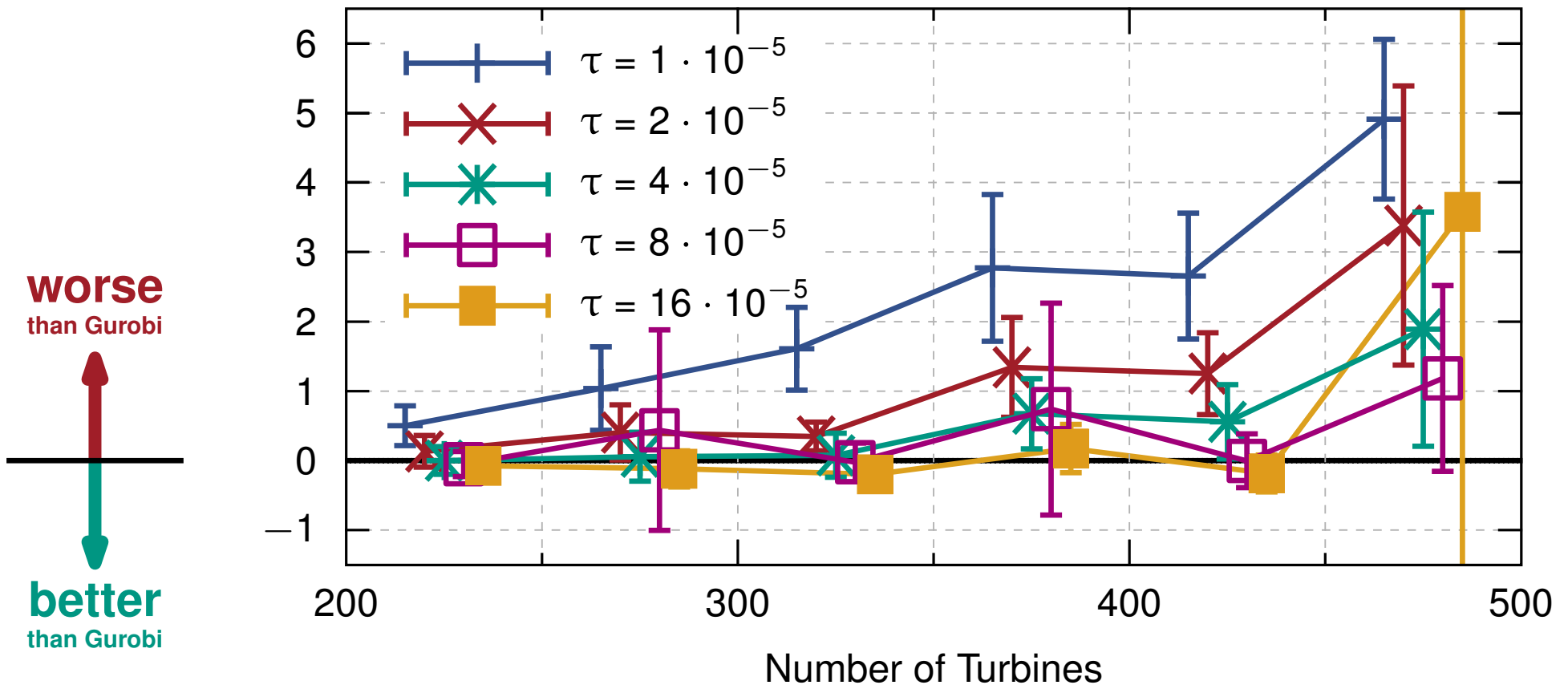
Results depend on a **random seed**.

Multiple instances reduce the overall computation time. This causes a reduced time spend for the intensification phase.

# Performance Influence of the Thermal Conductivity and Capacity $\tau$

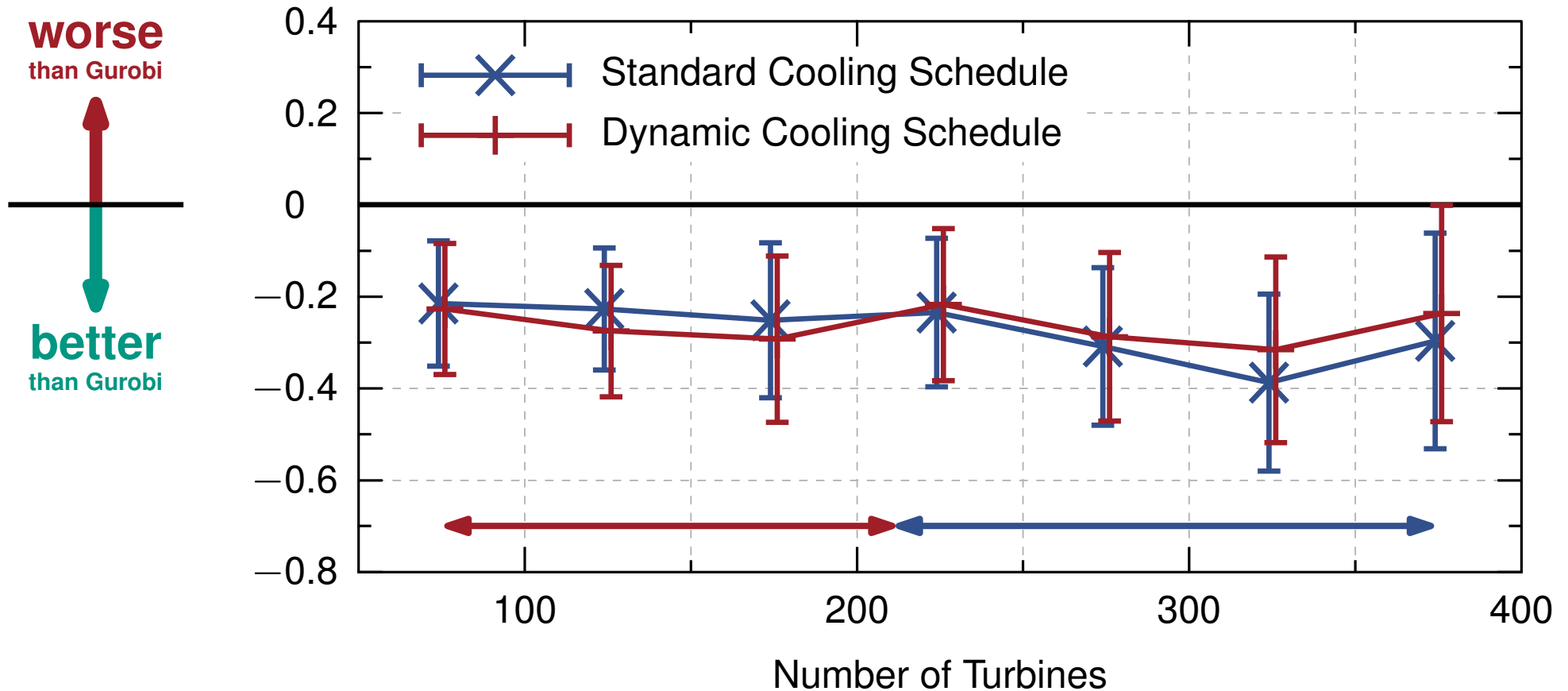


# Performance Influence of the Thermal Conductivity and Capacity $\tau$

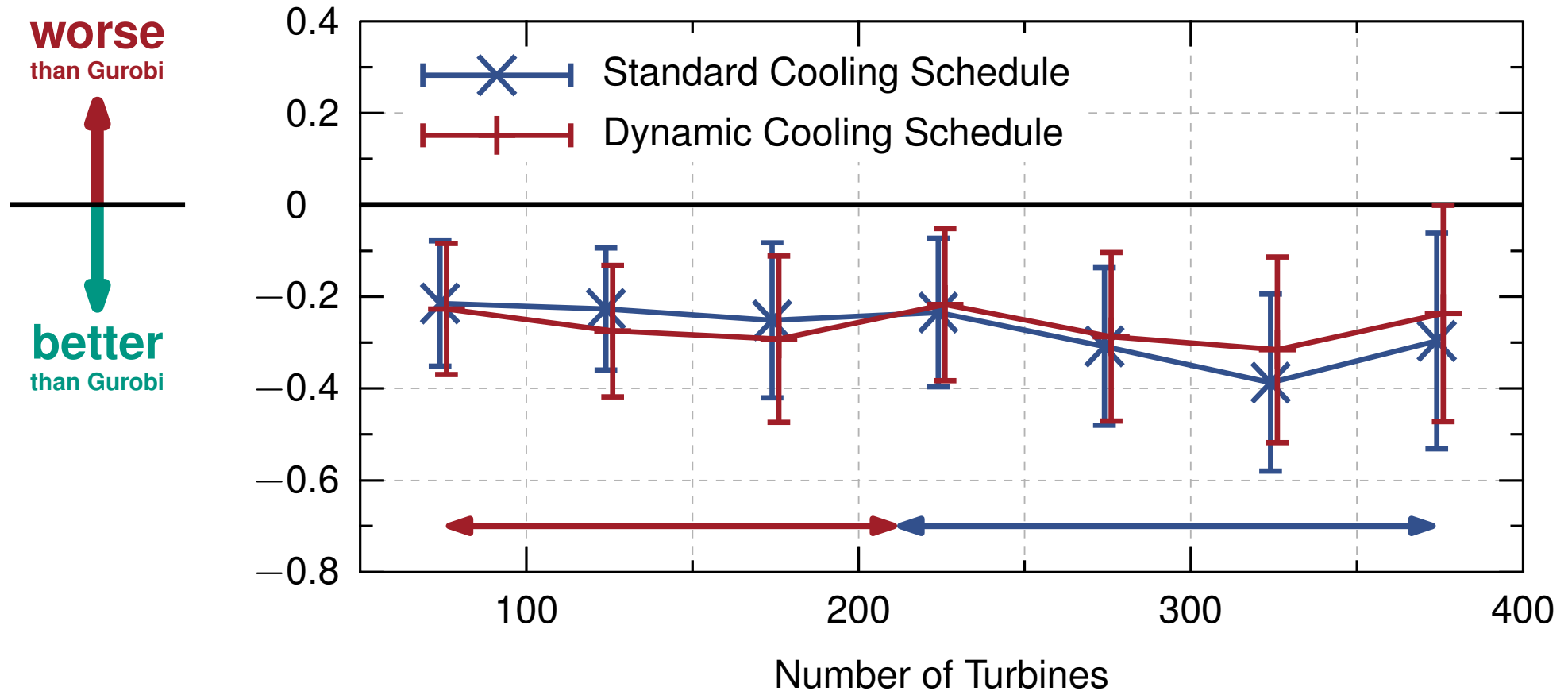


**Parameter tuning** is difficult for the cooling schedule.

# Cooling Schedule Performance



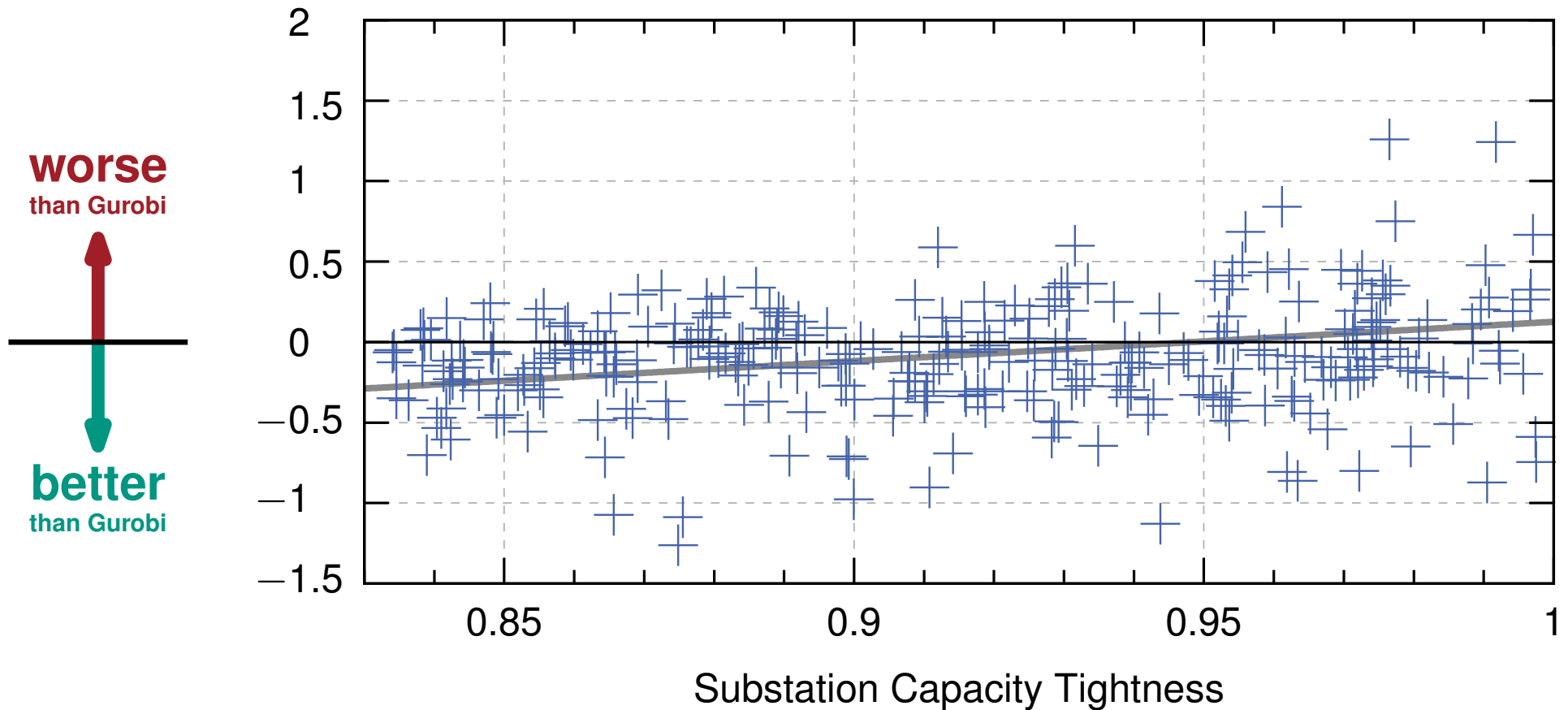
# Cooling Schedule Performance



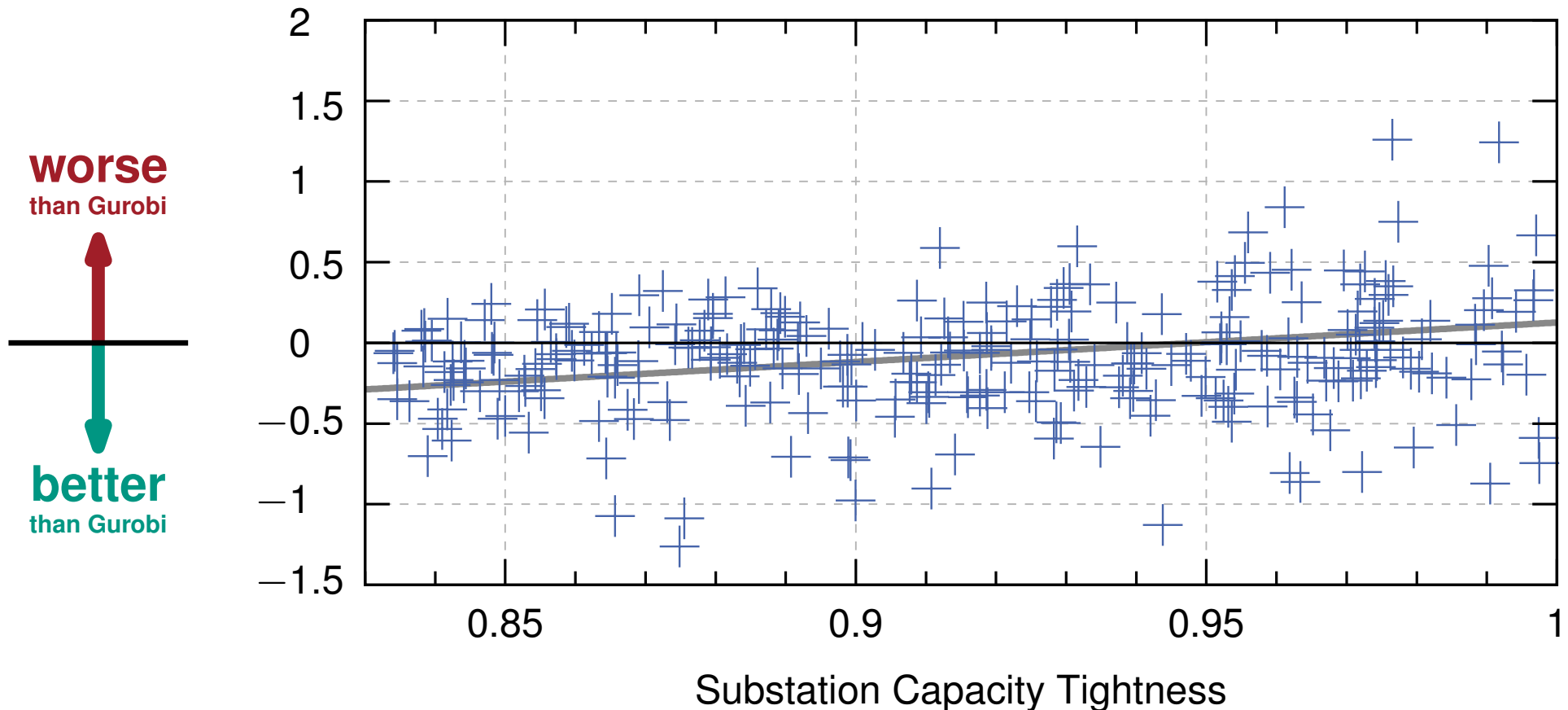
The **dynamic** outperforms the **standard** one without parameter tuning. Parameter tuning improve the standard one for larger instances.



# Performance Influence of the Substation Capacity Tightness



# Performance Influence of the Substation Capacity Tightness

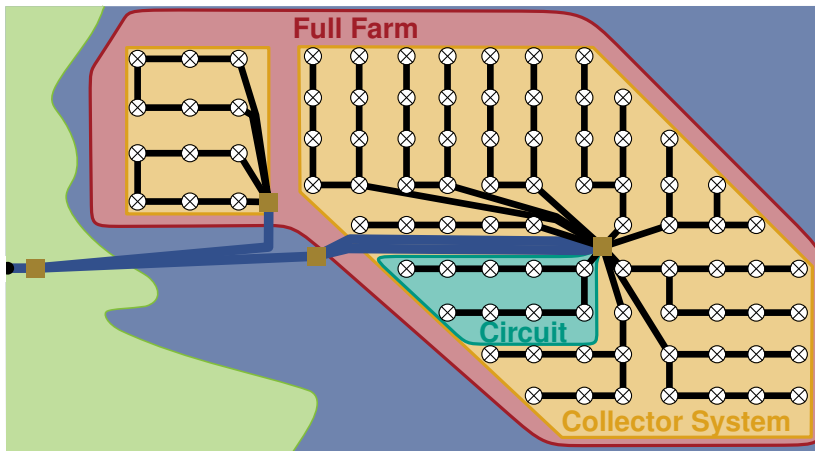


The **tighter** the substation capacity or the **more** substations the harder the instance is to solve. Thus, the solution quality reduces with same duration.

# Conclusion & Future Work

Circuit Problem  
Substation Problem  
Full Farm Problem

# Conclusion & Future Work

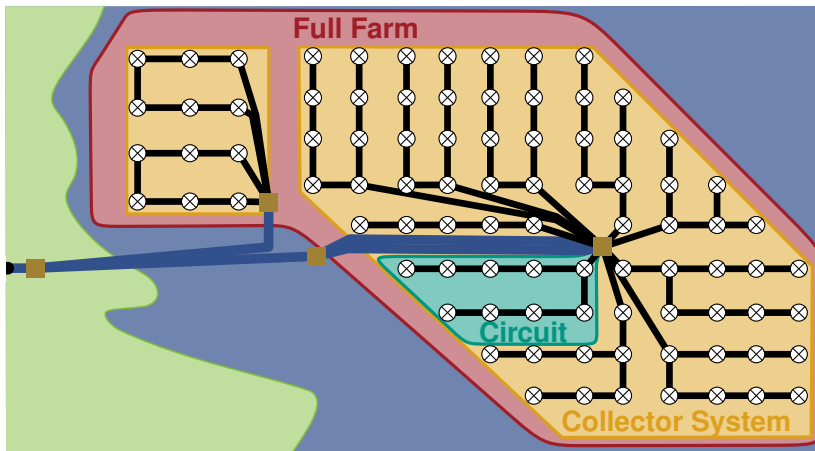


Circuit Problem

Substation Problem

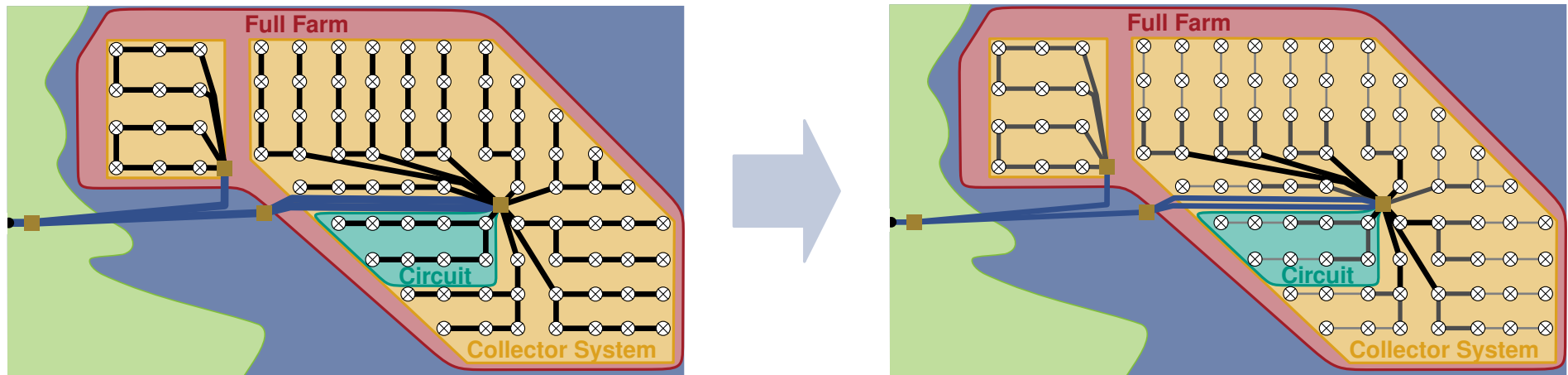
Full Farm Problem

# Conclusion & Future Work



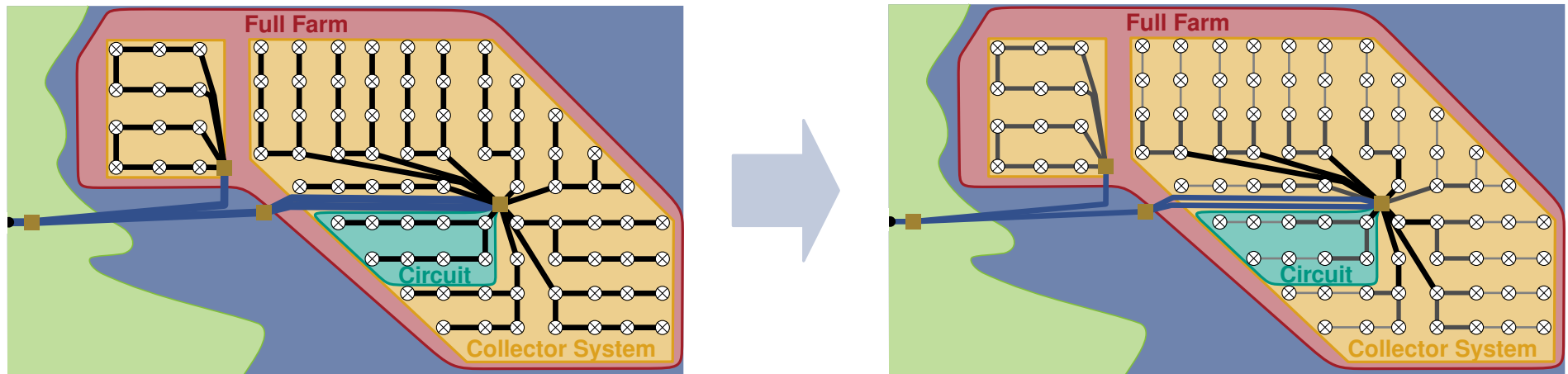
P (MST)	Circuit Problem
NP-hard (CMST)	Substation Problem
NP-hard (Heuristics)	Full Farm Problem

# Conclusion & Future Work



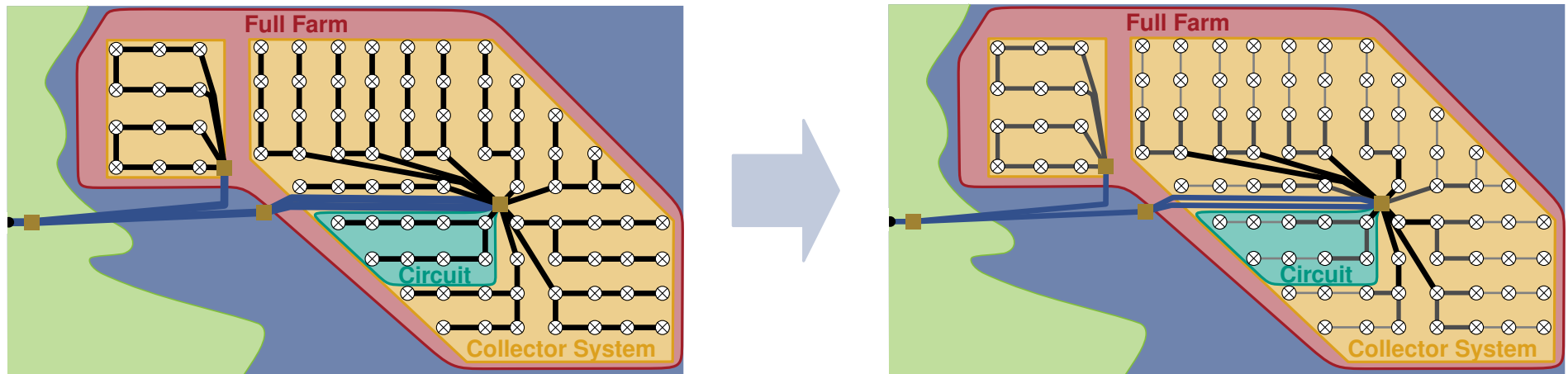
P (MST)	Circuit Problem
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# Conclusion & Future Work



P (MST)	Circuit Problem	NP-hard
NP-hard (CMST)	Substation Problem	NP-hard
NP-hard (Heuristics)	Full Farm Problem	NP-hard

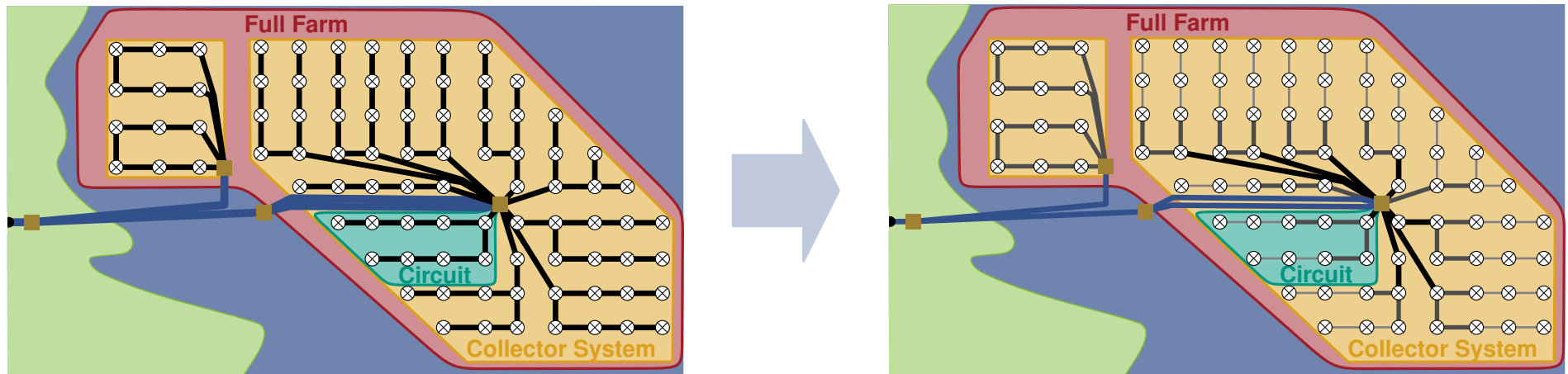
# Conclusion & Future Work



P (MST)	Circuit Problem	NP-hard (Clustering)
NP-hard (CMST)	Substation Problem	NP-hard
NP-hard (Heuristics)	Full Farm Problem	NP-hard

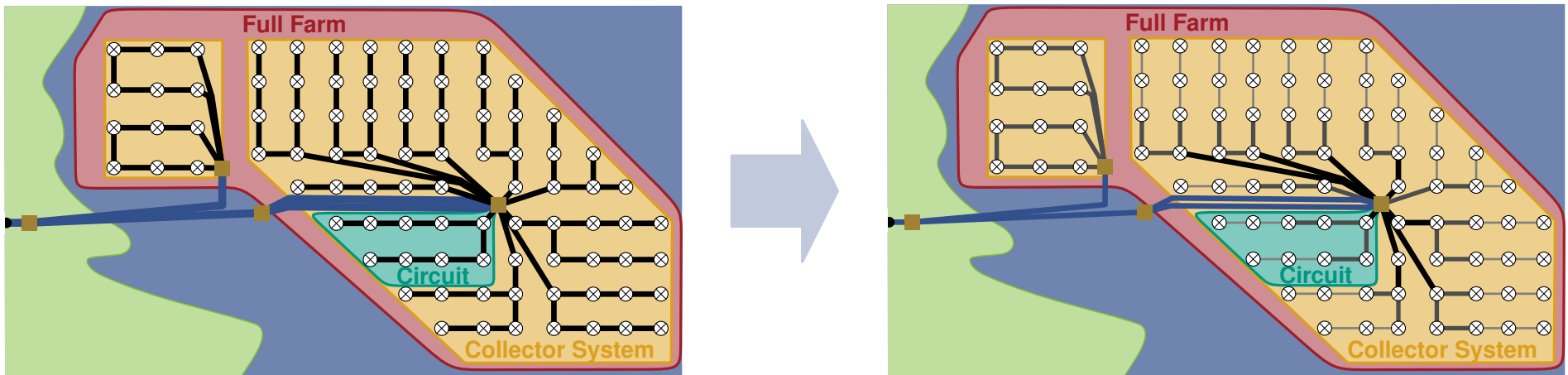


# Conclusion & Future Work



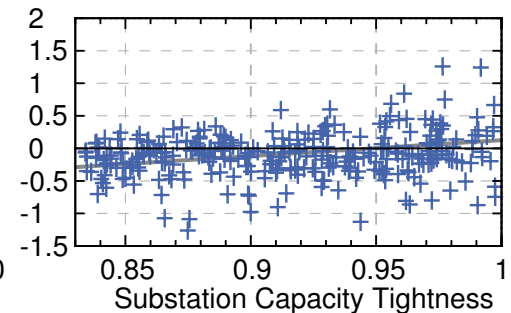
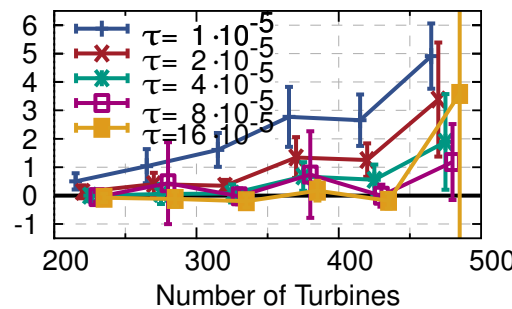
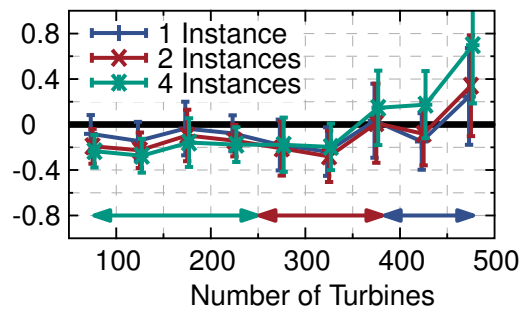
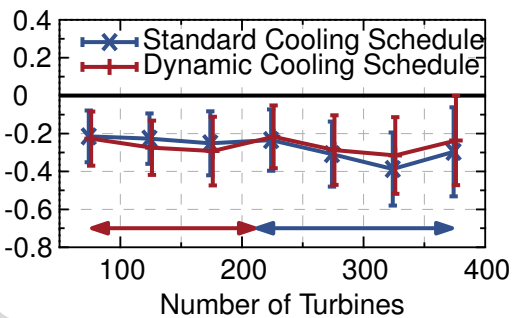
P (MST)	Circuit Problem	NP-hard (Clustering)	} Simulated Annealing
NP-hard (CMST)	Substation Problem	NP-hard	
NP-hard (Heuristics)	Full Farm Problem	NP-hard	

# Conclusion & Future Work

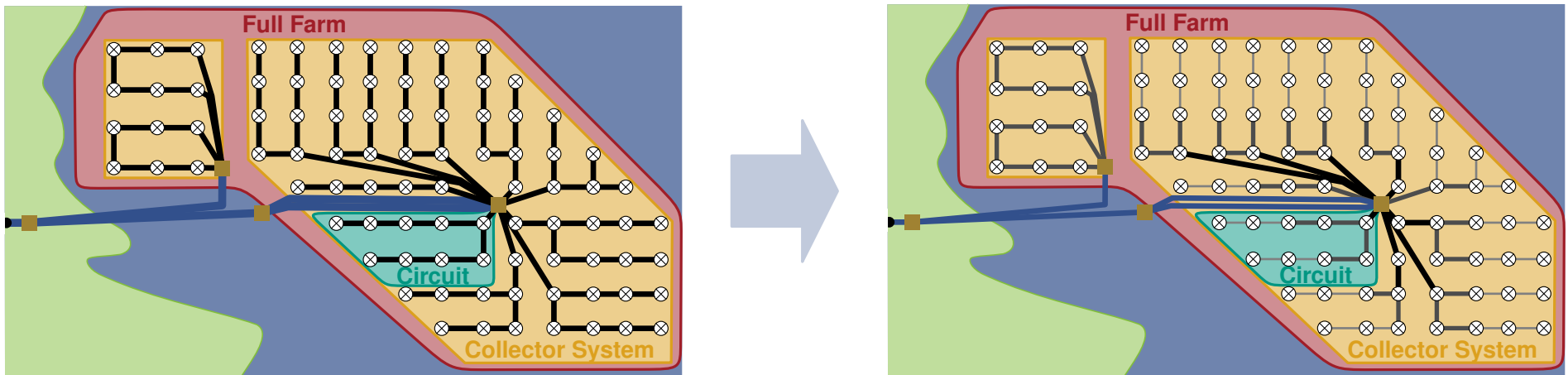


P (MST)	Circuit Problem	NP-hard (Clustering)	} Simulated Annealing
NP-hard (CMST)	Substation Problem	NP-hard	
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## RESULTS

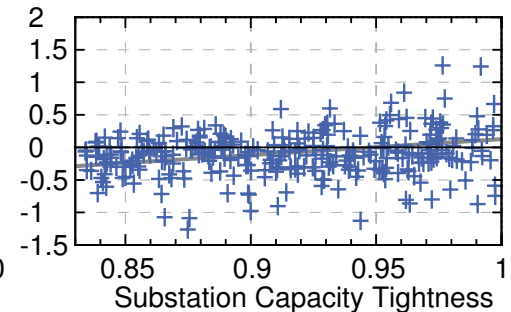
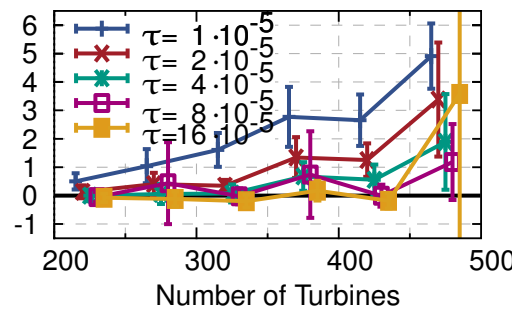
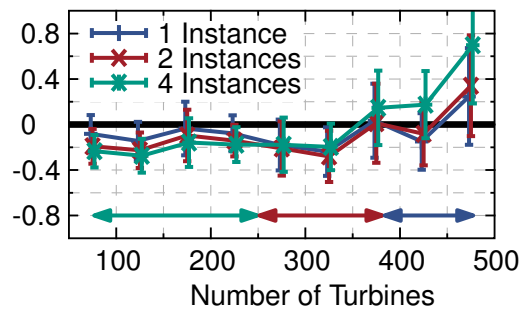
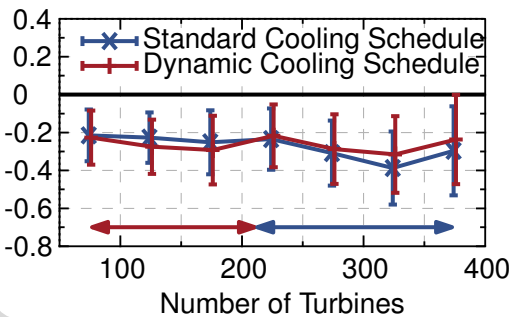


# Conclusion & Future Work

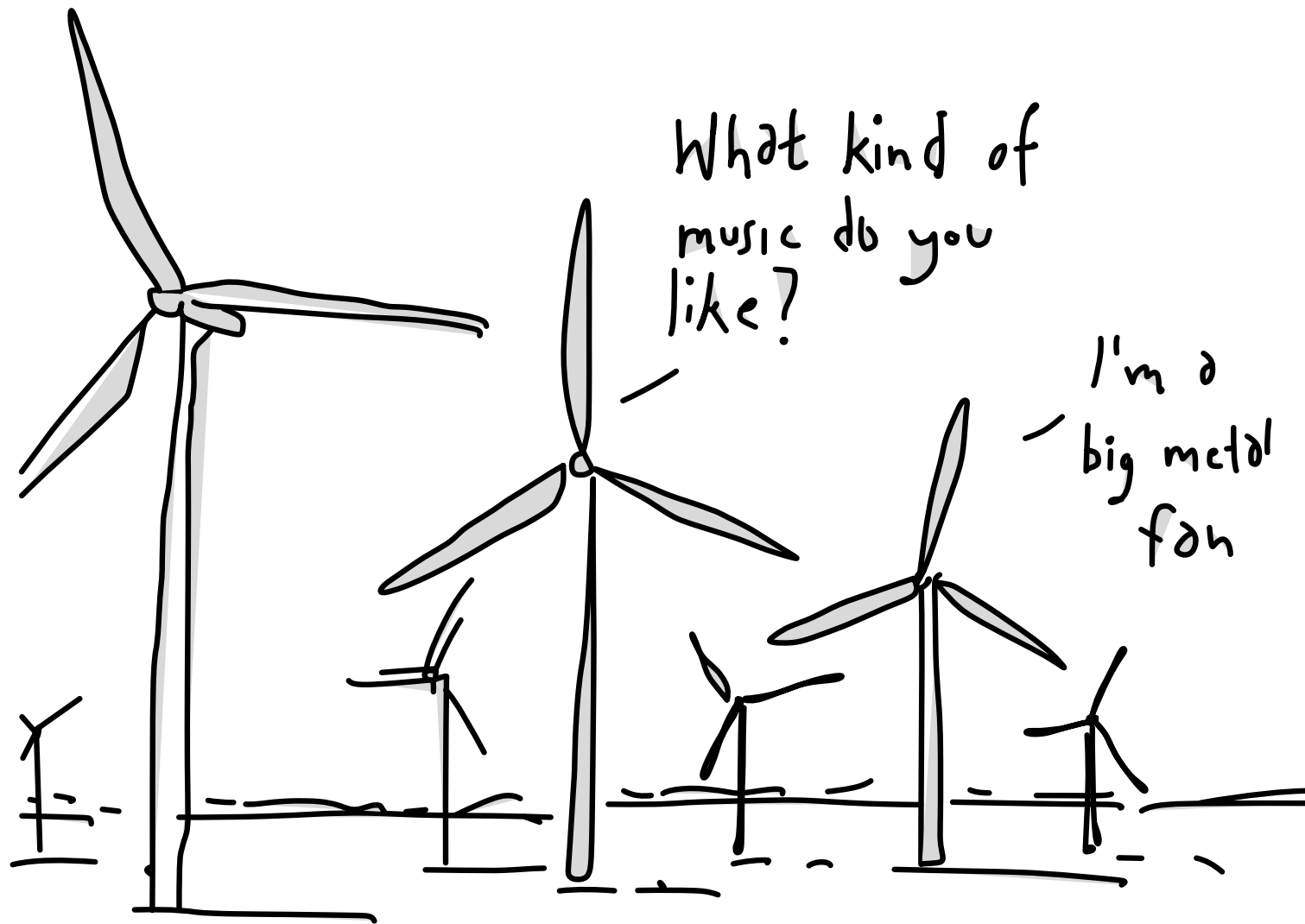


P (MST)	Circuit Problem	NP-hard (Clustering)	} Simulated Annealing
NP-hard (CMST)	Substation Problem	NP-hard	
NP-hard (Heuristics)	Full Farm Problem	NP-hard	

## RESULTS & FUTURE WORK



# Are you a metal fan, too?



<https://s-media-cache-ak0.pinning.com/originals/8f/51/d3/8f51d30e4e60a97fc5b2fada2ecacd85.jpg>